

# **DISENTANGLING UNIVERSAL AND NON-UNIVERSAL BEHAVIORS OF DOMAIN WALLS IN THIN MAGNETS**

**Vincent Jeudy**

Laboratoire de Physique des Solides  
Université Paris-Saclay, CNRS, France

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## **Collaborations with Argentina**

Javier Curiale, Sebastian Bustingorry, Alejandro Kolton ...  
(CONICET Bariloche, Argentina)

## **Univ. Geneva**

Nirvana Caballero, Thierry Giamarchi (Univ. Geneva, Switzerland)

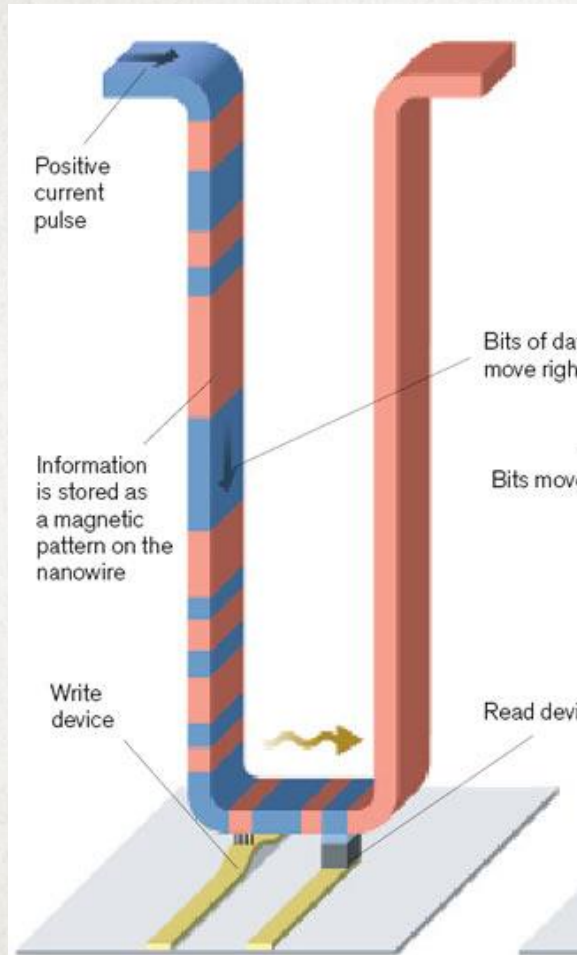
## **Idmag team: Laboratoire de Physique des Solides**

André Thiaville, Stanislas Rohart, Alexandra Mougin, João Sampaio  
Lucas Albornoz, Pierre Géhanne, Rebeca Diaz-Pardo (UNAM, Mexico), Jon Gorchon (Institut Jean Lamour, CNRS), Williams Savero-Torres (ICN2, Catalogne), Jacques Ferré, Jean-Pierre Jamet

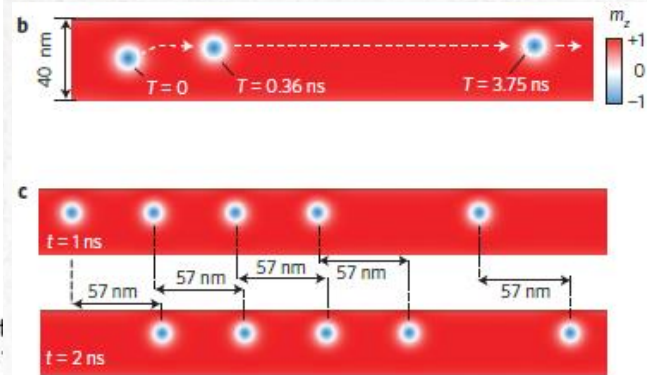


# Context: motion of magnetic textures as domain walls & Skyrmions

## Racetrack memory



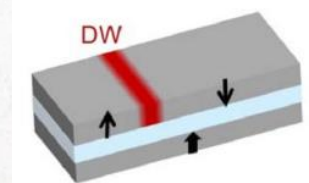
## Skirmions in nanotracks



*Sampaio et al. Nature Nano. (2013)*

## Memory resistor (memristor)

*Grolier et al., Nat Electron. (2020)*



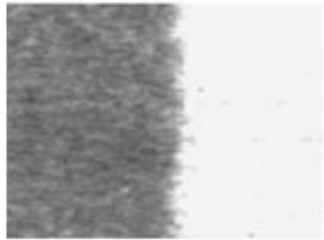
## Potential application to magnetic data storage

- Requires high speed and controlled motion
- However, spin textures are very sensitive to weak pinning defects  $\Rightarrow$   
Strong reduction of the mobility,  
Stochastic avalanche-like motion...

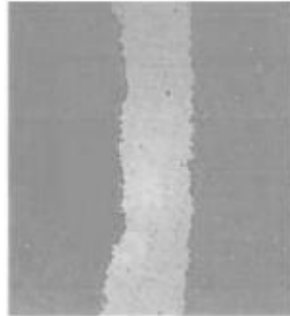
## How to reduce and/or to control the pinning of magnetic texture?

- Engineering the pinning (annealing, irradiation...)
- Choice of weak pinning material...

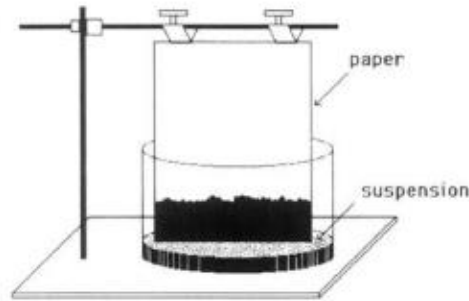
# Context: motion of pinned interfaces



Domain walls  
in ferroelectric films



Domain walls  
in ferromagnetic films



Fluid impregnation



Bacteria colonies



Fluid wetting

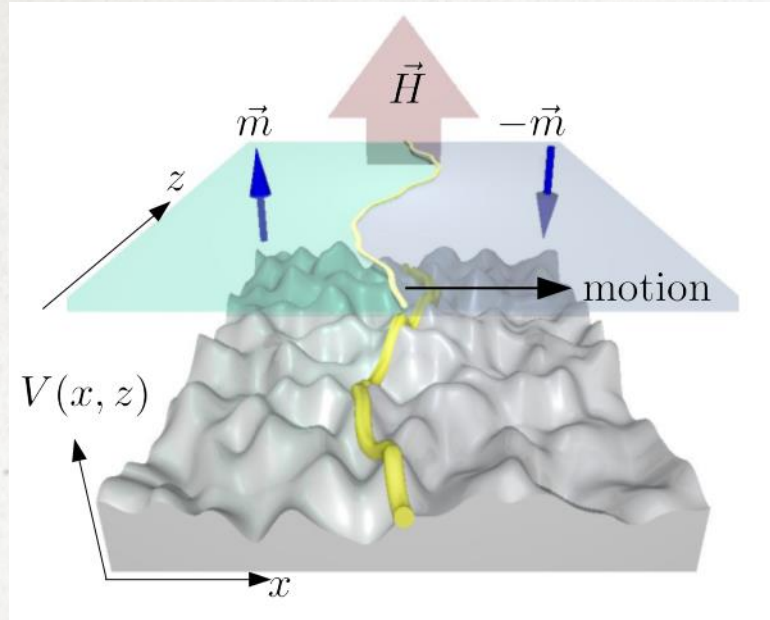
- Ubiquitous in nature
- Large variety of length scales and physical processes
- Present similar universal behaviors

How to identify universal behavior?  
How to distinguish non-universal behaviors?

# Context: disordered elastic systems

Generic framework

*Huse et al., PRL 54, 2708 (1985); Chauve et al., PRB 62, 10 (2000);  
Le Doussal et al. PRB 66, 174201 (2002)*

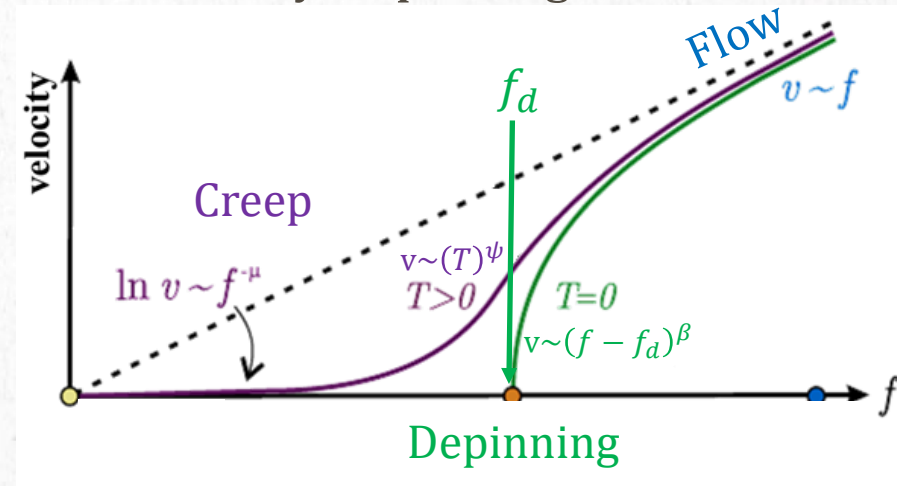


## Minimal model (Edward-Wilkinson Eq.)

overdamped motion of elastic objects

$$\eta \frac{\partial u}{\partial t} = c \nabla^2 u + F_{pin}(u) + \zeta_{rt} + f$$

Elasticity + pinning + noise + force



DW roughness: self affinity  $u \sim L^\zeta$

Theoretical predictions for line moving in a 2d medium

Critical exponents:  $\mu = \frac{1}{4}$ ,  $\beta = 0.25$ ,  $\psi = 0.15$ ,  $\zeta = \frac{2}{3}$

Scaling relation:  $\mu = \frac{2\zeta - 1}{2 - \zeta}$

To what extent minimal models can describe real physical systems?  
How could we go beyond critical exponent analysis?

## OUTLINE

**1- INTRODUCTION TO DW STRUCTURE AND MOTION**

**2- ANALYSIS OF CRITICAL BEHAVIORS**

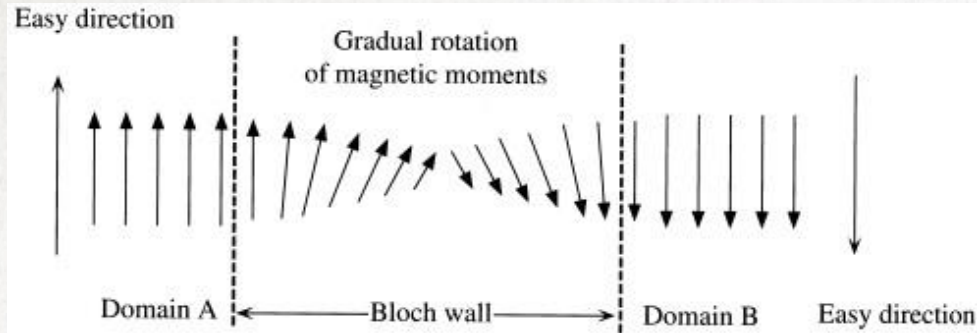
**3- BEYOND ZERO DRIVE LIMIT AND POWER LAW SCALING**

- Creep motion
- Depinning transition

**4- MATERIAL DEPENDENT BEHAVIORS**

# What is a magnetic domain wall?

<https://ars.els-cdn.com/content/image/3-s2.0-B9780815515937000072-f07-07-9780815515937.jpg>



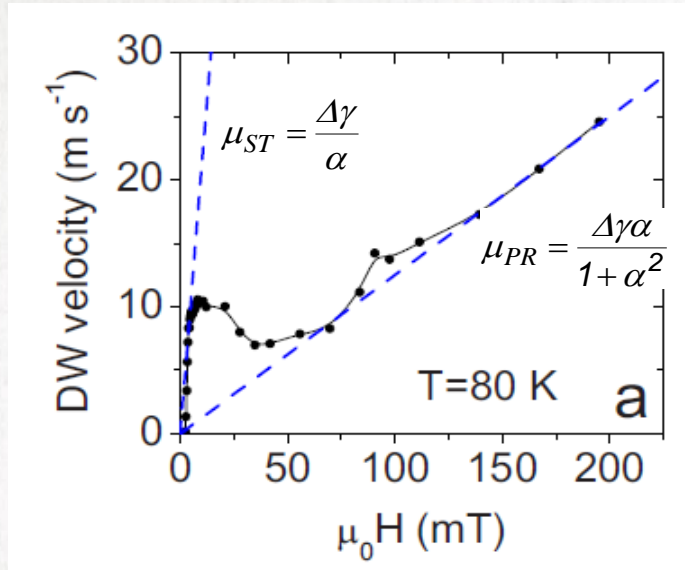
Perpendicular magnetic anisotropy  
In domains, the magnetization  $M_s$  is fixed.

- Domain wall: region of magnetization reversal between domains
- Competition between
  - $A$ : strength of interaction between magnetic moments
  - $K$ : anisotropy  $\Rightarrow$  easy magnetization directions
- DW surface energy:  $\sigma = 4\sqrt{AK}$  (Bloch wall)
- DW thickness:  $\Delta \sim \sqrt{\frac{A}{K}} \approx 1 - 30nm$
- Origin of pinning: fluctuations of  $K$ , of  $M_s$ ?

Malozemoff & Slonczewski (Academic Press, NY, 1979)

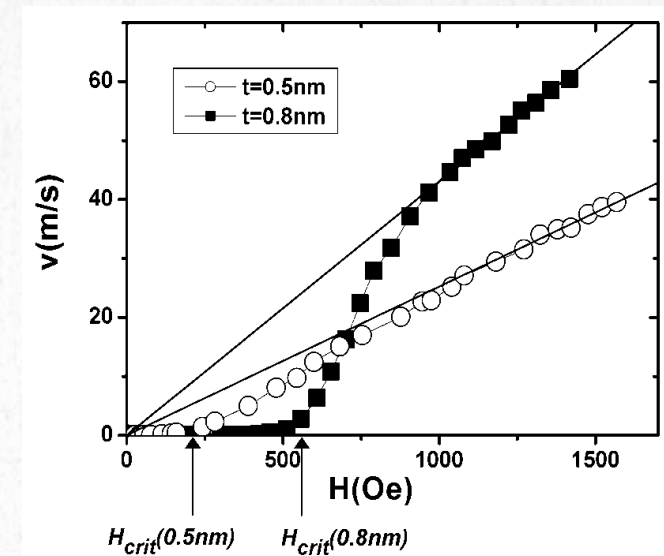
# Flow regimes of domain walls

DW dynamics described by LLG Eq. :  $\frac{d\vec{M}}{dt} = -\gamma\vec{M} \wedge \mu_0\vec{H}_{eff} + \alpha \frac{\vec{M}}{M} \wedge \frac{d\vec{M}}{dt}$  Schryer and Walker, J. Appl. Phys. **45**, 5406 (1974).



(Ga,Mn)As 50nm thick film  
A. Dourlat *et al.*, PRB **78**, 161303R (2008)

- Dynamics is controlled by dissipation
- Depends on the time evolution of DW magnetic texture (steady and precessional regimes)

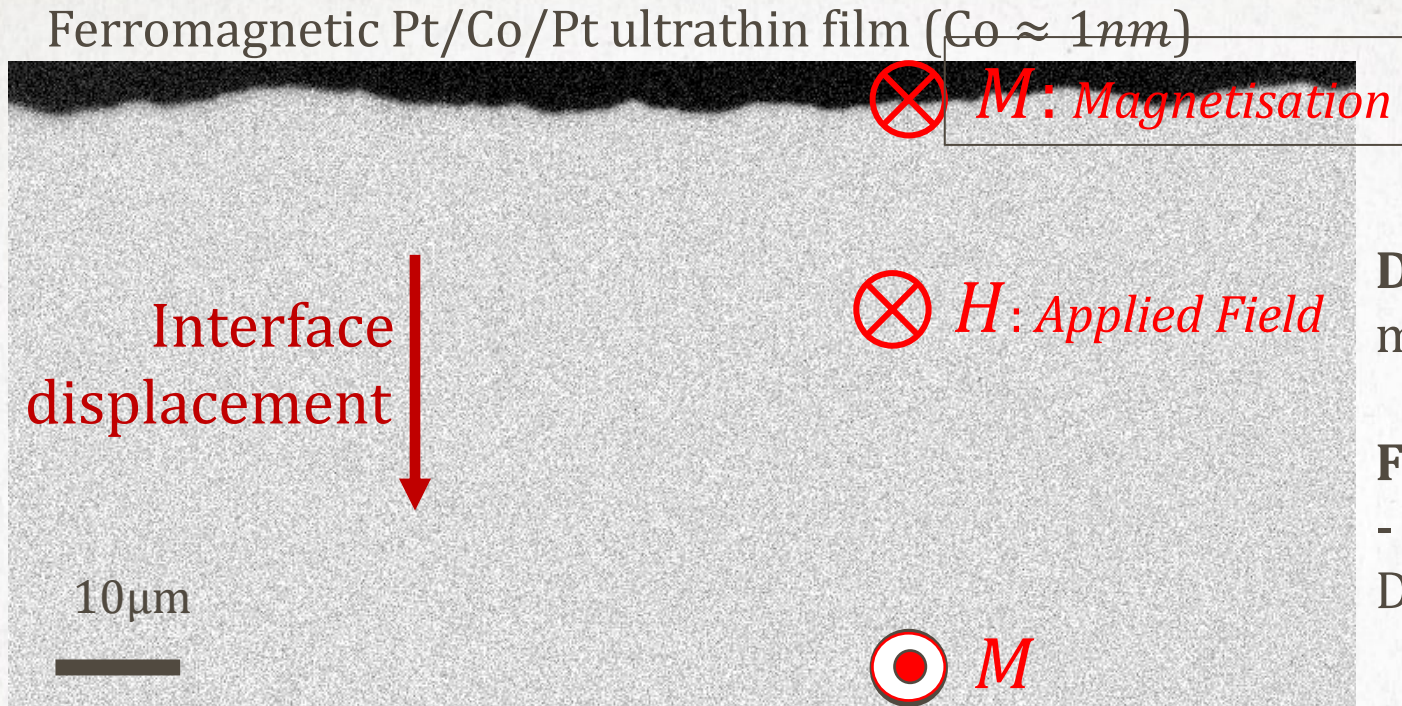
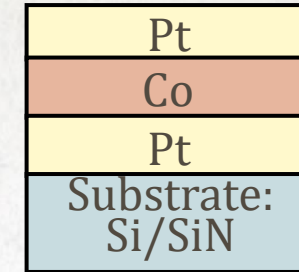


Pt/Co/Pt ultrathin film  
P. Metaxas *et al.*, Phys. Rev. Lett. (2007)

For most of the materials, low drive regimes are hidden by DW pinning



# Motion of pinned domain walls



Driving force  $f$  is the magnetic field  $H$ . ( $=0.06 H_d$ )

## Film thicknesses

- Films  $\approx 1 - 80 nm$

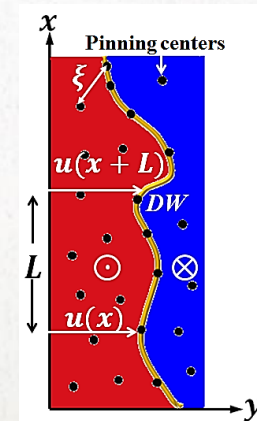
Domain wall  $\Delta \approx 1 - 20 nm$

*M. Bauer et al., Phys. Rev. Lett. (2005)*

**Velocity:** average displacement/duration

**Interface roughness:** correlation function of domain wall displacement

$$w(L) = \langle (u(x + L) - u(x))^2 \rangle \propto L^{2\zeta}$$



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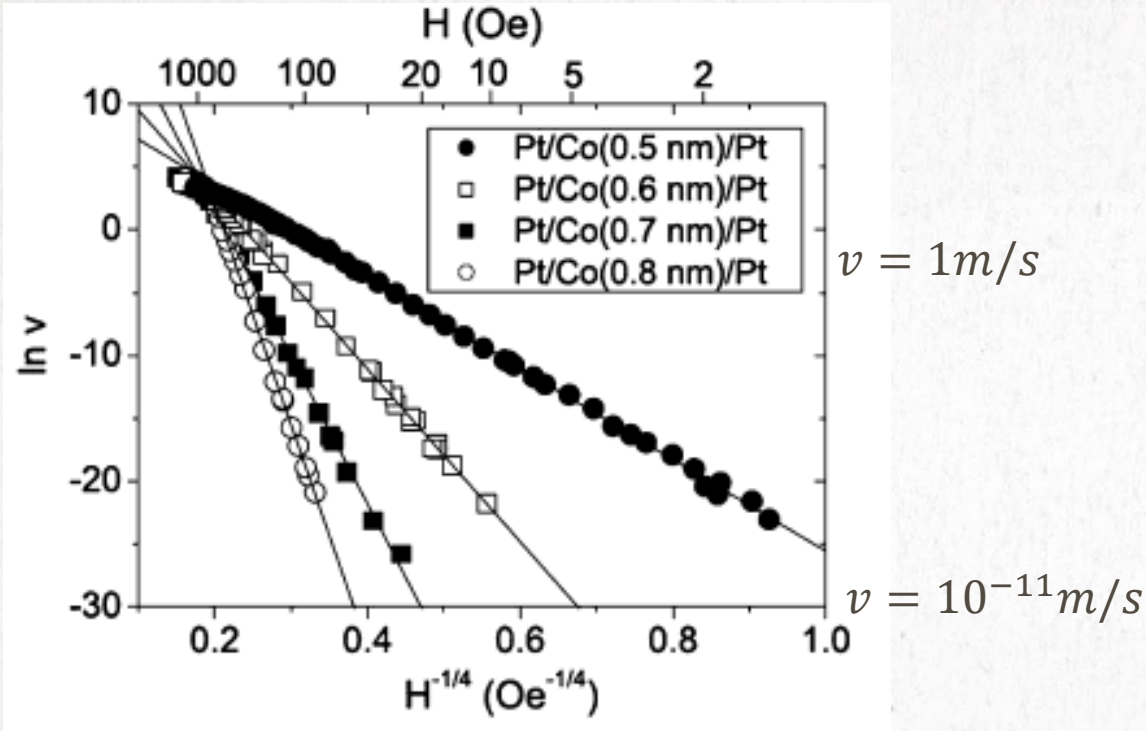
- Creep motion
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# Connections of DW motion with creep theory

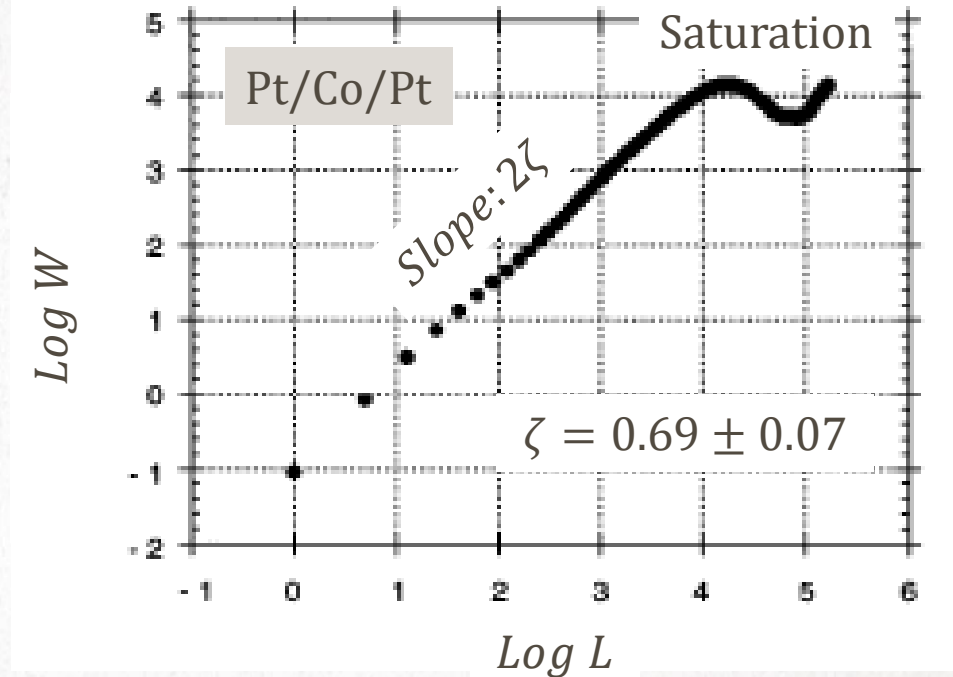
ultrathin Pt/Co/Pt film

Metaxas et al., Phys. Rev. Lett. 99, 217208 (2007)



Creep law:  $\ln v \sim H^{-\mu}$  with  $\mu \approx 1/4$

Lemerle et al., Phys. Rev. Lett. 80, 849 (1998)



Roughness:  $w(L) \propto \left(\frac{L}{L_c}\right)^{2\zeta}$  with  $\zeta = 0.69 \pm 0.07$

Universal behavior: compatibility with the predictions  $\mu \approx \frac{1}{4}$ ,  $\zeta = \frac{2}{3}$  and the scaling  $\mu = \frac{2\zeta - 1}{2 - \zeta}$

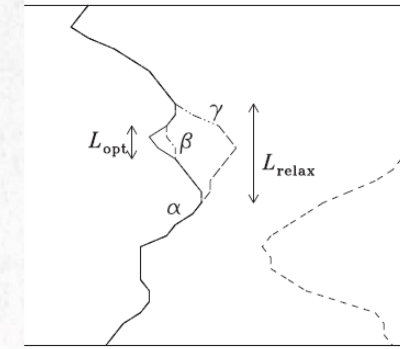
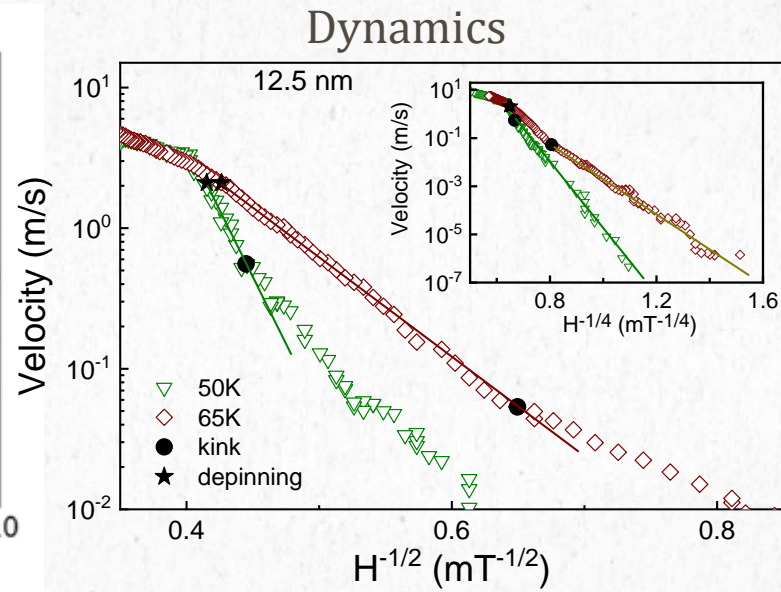
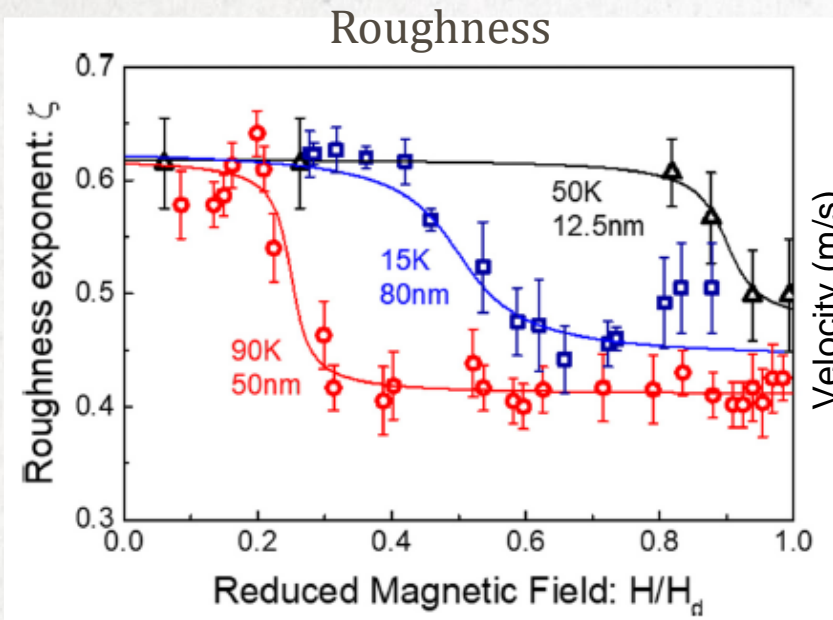
Domain wall  $\Leftrightarrow$  elastic line moving in 2d medium (no contribution of DW magnetic texture)

# Power law analysis: dimensional cross over

Is there a thickness limit for the d=1 behavior of DW ?

(Ga,Mn)As films with  $\neq$  thicknesses:  $t = 12.5 \text{ nm}, 50 \text{ nm}, \& 80 \text{ nm}$

A. Kolton et al., Phys. Rev. B **79**, 184207 (2009)



Nuclei for DW jumps:

$$L_{opt} \sim H^{-1/(2-\zeta_{eq})} \searrow \text{for } H \nearrow$$

Low drive  $L_{opt} > t$ : DW  $\Leftrightarrow$  line

High drive  $L_{opt} < t$ : DW  $\Leftrightarrow$  surface

Savero Torres et al., Phys. Rev. B. **99**, 201201(R) (2019)

- Double signature of a cross over: jump of the roughness and kink in the velocity curves

Low drive  $\zeta_{1d} \approx 0.62$ ,  $\mu \approx 1/4$ : DW  $\Leftrightarrow$  line in 2D medium

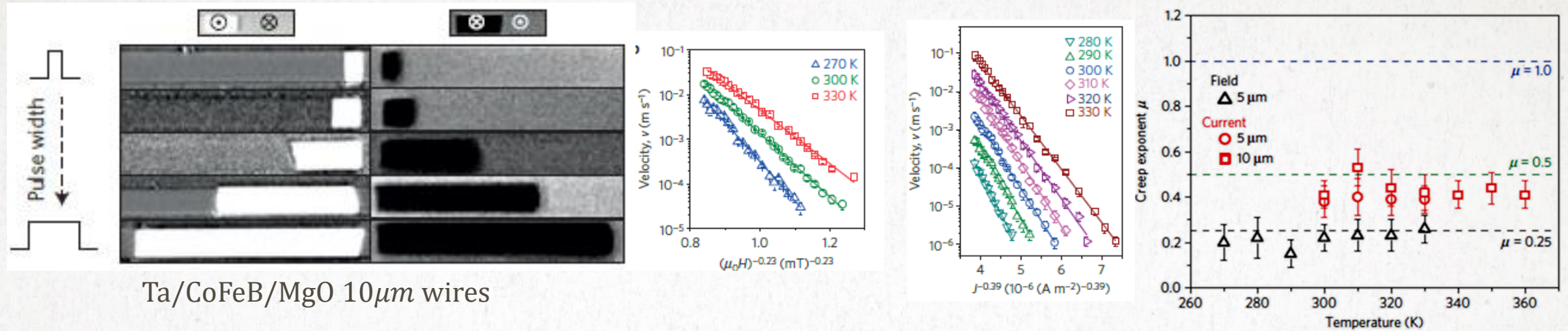
High drive  $\zeta_{2d} \approx 0.45$ ,  $\mu \approx 1/2$ : DW  $\Leftrightarrow$  surface in 3D medium

# DW motion in tracks: contribution of edge pinning

DuttaGupta et al. Nat. Phys. 12, 333 (2016)

Signature of different universality classes for current and field driven DW motion? Yamanouchi et al., Science 317, 1728 (2007).

Current driven motion



Fit:  $v \sim \exp - \left( \frac{\Delta E}{k_B T} \right)$  with  $\Delta E \sim f^{-\mu}$  (only 2-6 orders of magnitude, while 11 orders for Lemerle et al.)

$\Rightarrow \mu_H = 0.23 \pm 0.07 \approx 1/4$  and  $\mu_j = 0.39 \pm 0.06$

Different analysis (controversy)

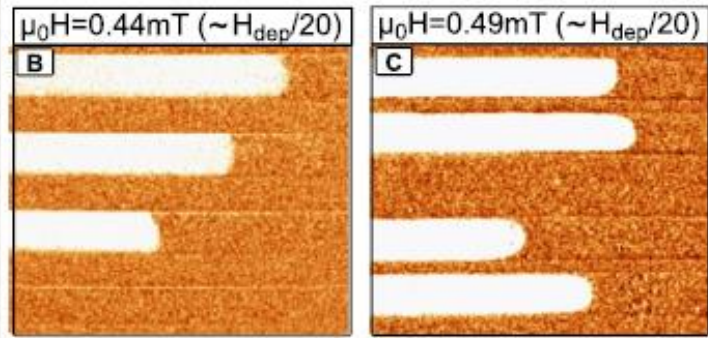
- $\mu_H \neq \mu_j \Rightarrow$  different universality classes?
- For Pt/Co/Pt,  $\mu_j = 1/4$  Lee et al., Phys. Rev. Lett. 107, 067201 (2011)  $\Rightarrow \mu_j$  depends on the material?
- Bending and tilting of domain wall: contribution of wire edge pinning?

# DW motion in tracks: contribution of edge pinning

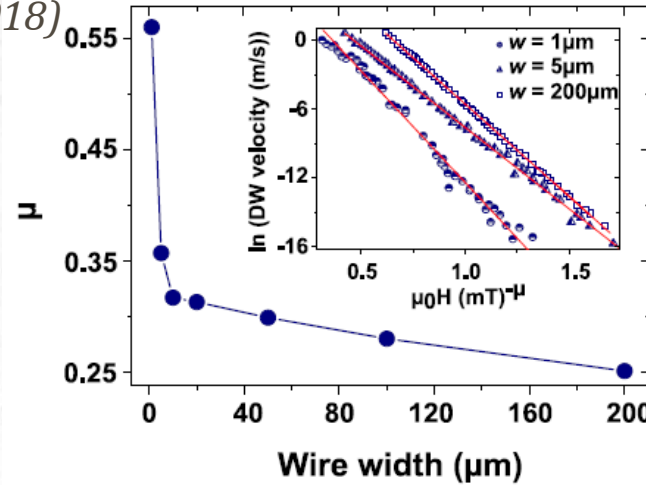
Contributions of wire edge pinning?

Herrera Diez et al. Phys. Rev. B. **98**, 054417 (2018)

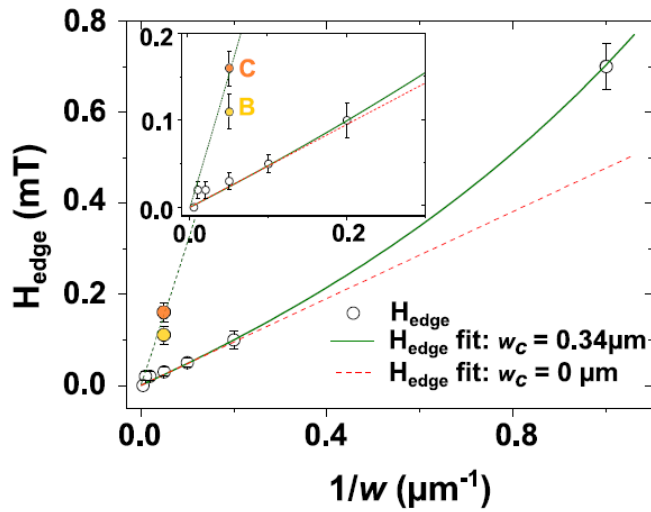
Field driven motion



Ta/CoFeB/MgO 20 μm wires



Fit:  $v \sim \exp - \left( \frac{\Delta E}{k_B T} \right)$  with  $\Delta E \sim H^{-\mu}$   
 $\mu$  varies with the wire width  $\Rightarrow$  it is not a universal critical exponent.



Assumption: the bending of the DW reduces the drive:  $H \rightarrow H - H_{edge}$

Fit with  $\Delta E \sim (H - H_{edge})^{-\mu}$  assuming  $\mu = 1/4$

Result:  $H_{edge} \approx \frac{\sigma_e}{M_s w}$

Cf. Laplace law for a bubble:  $\Delta P = \frac{2\sigma}{R}$

The bending of DW due to edge pinning reduces the driving field.  
 DW dynamics combines universal and non universal behaviors

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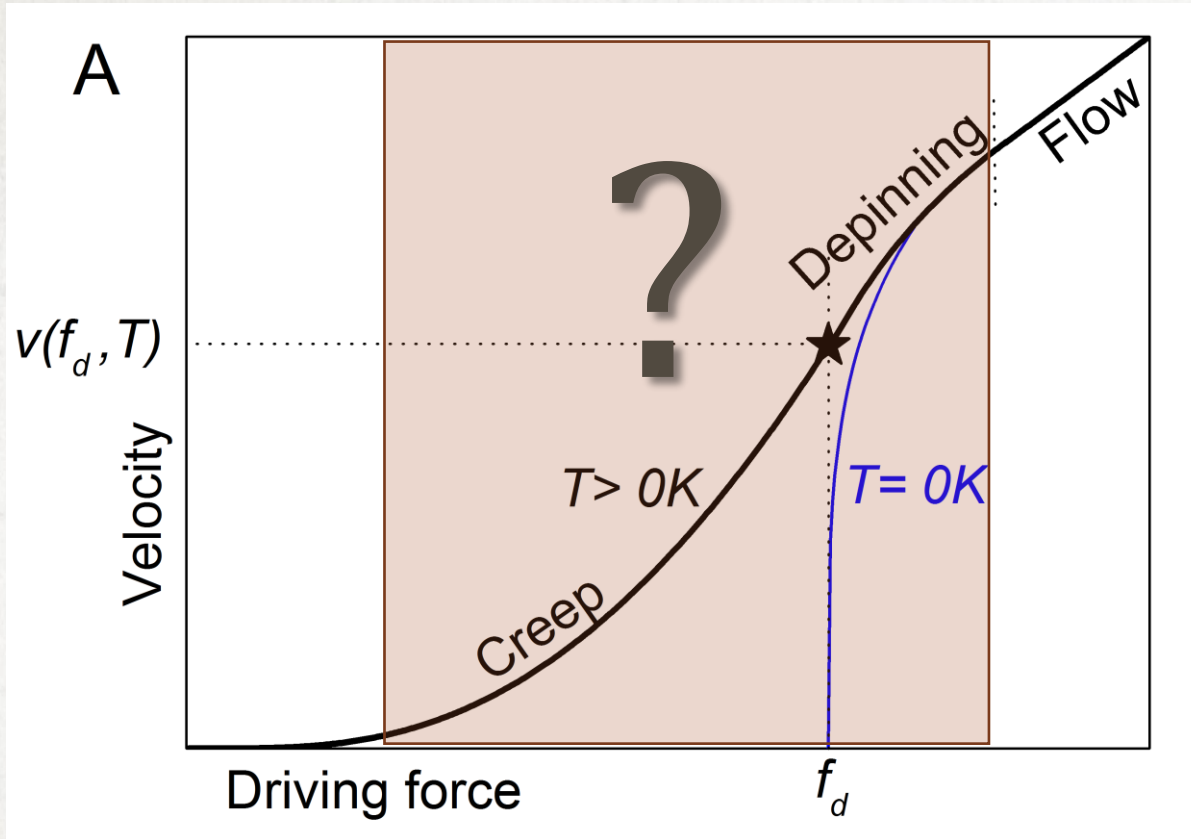
**3- BEYOND ZERO DRIVE LIMIT AND POWER LAW SCALING**

- **Creep motion**

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4- MATERIAL DEPENDENT BEHAVIORS

# Open questions



Extension of universal behaviors beyond the zero-drive limit?

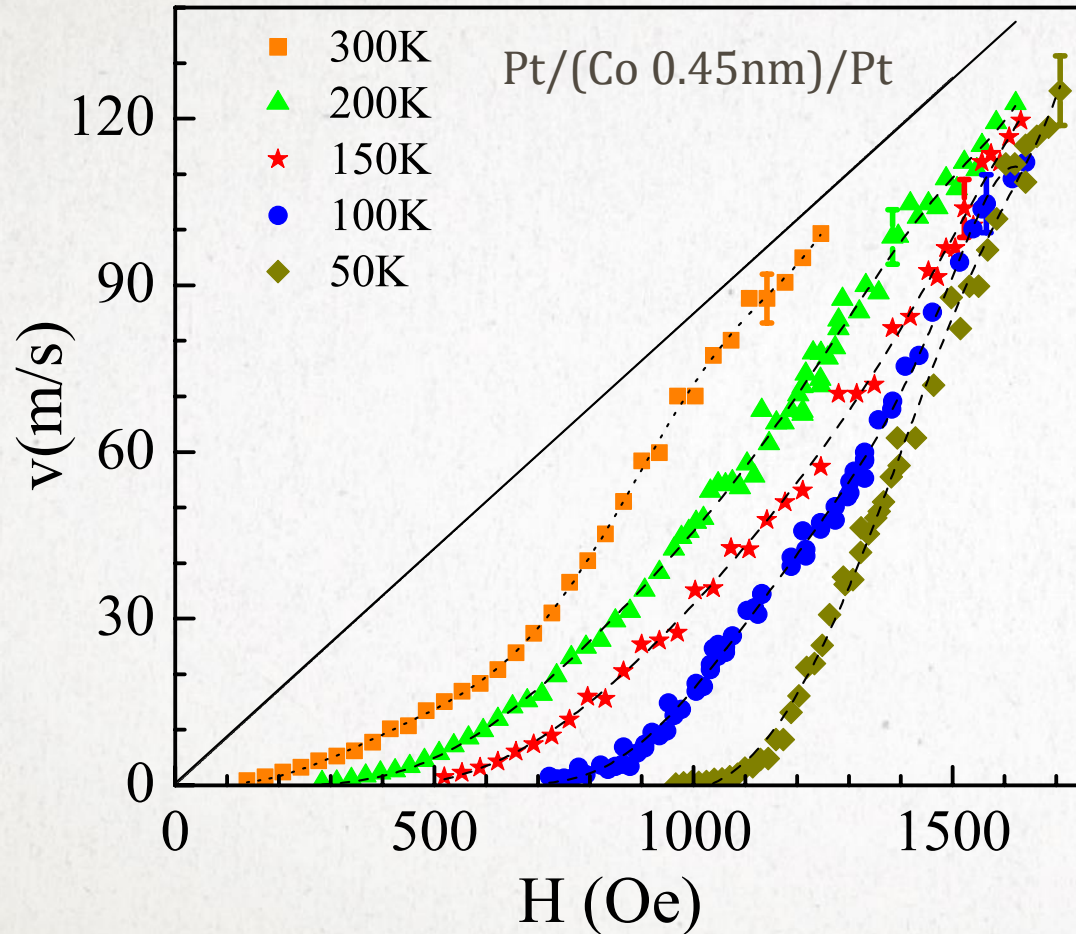
Nature of domain wall dynamics: creep, TAFF... depinning, crossover to the flow?

Universality of the depinning transition?



# Thermal studies of the creep motion

How to distinguish different dynamical regimes?



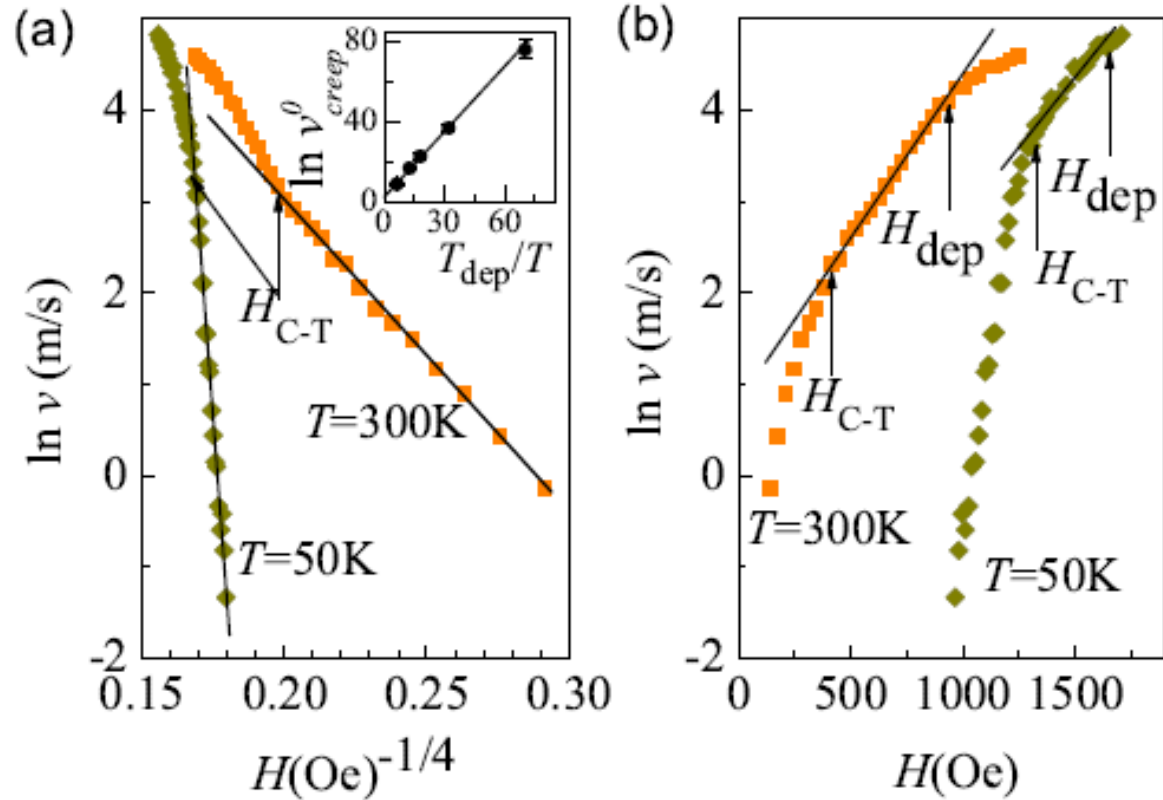
J. Gorchon *et al.*, PRL **113**, 027205 (2014)

Thermal studies:

- Variations of the thermal activation:  $k_B T$
- Fixed frozen disorder
- but also, variations of magnetic properties: Magnetization  $M_s$ , DW energy  $\sigma$ , thickness  $\Delta$ .
- $T \searrow \Rightarrow$  shifts of the curves towards the high field region.
- Boundaries between different regimes ?

# Thermal studies of the creep motion

Shape of velocity curves compatible with available predictions ?



**Creep :  $H < H_{C-T}$**

$$v_{creep}(H, T) = v_{creep}^0(T) e^{-\frac{T_d}{T} \left(\frac{H}{H_d}\right)^{-1/4}}$$

**TAFF :  $H_{C-T} < H < H_d$**

$$v_{TAFf}(H, T) = v_{TAFf}^0(T) e^{-\frac{T_d}{T} \left(1 - \frac{H}{H_d}\right)}$$

**Thermally Activated Flux Flow**

P.W. Anderson and Y.B. Kim, Rev. Mod. Phys. (1964)

Other interpretation: Caballero et al. Phys. Rev. B **96**, 224422 (2017)

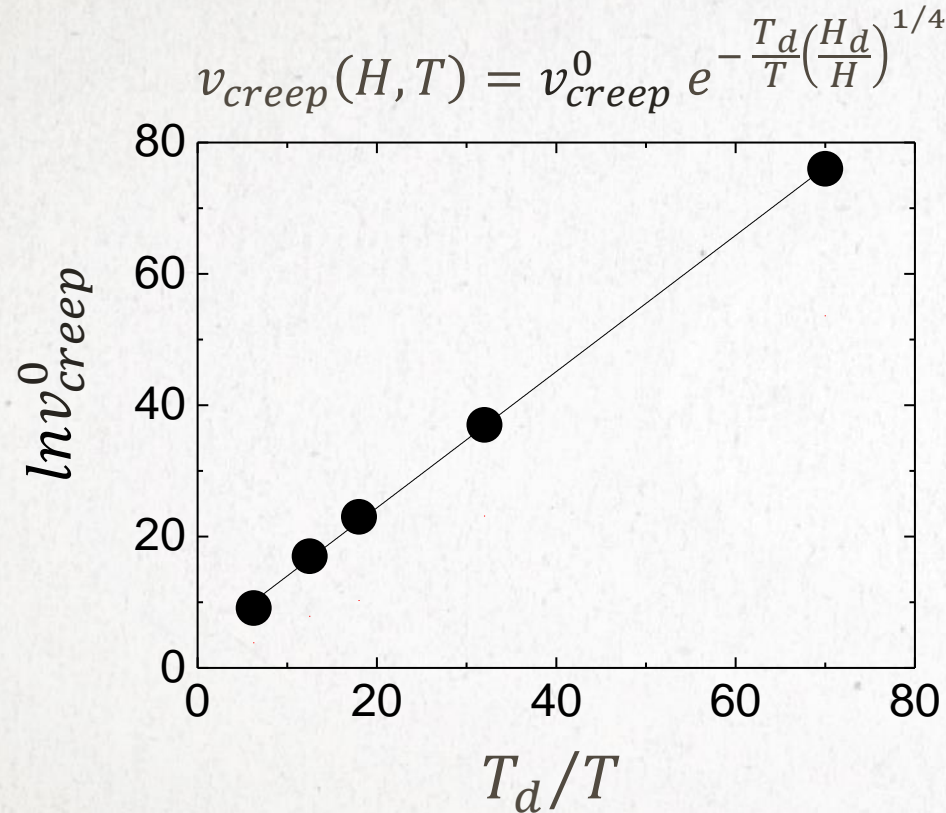
**Depinning :  $H \geq H_d$**

**Flow :  $H \gg H_d$**

Introduction of temperature dependent parameters:  $T_d(T)$ ,  $v_{creep}^0(T)$ ,  $v_{TAFf}^0(T)$ ,  $H_d(T)$ ,  $H_{C-T}(T)$ .

# Thermal studies of the creep motion

Is the prefactor of the creep law temperature independent?



Expected:  $v_{creep}^0 \sim \xi/\tau$  weakly dependent on temperature

While, we observe:  $v_{creep}^0 \sim e^{\frac{T_d}{T}}$  ?

$\Rightarrow$  The scaling  $\ln v \sim H^{-1/4}$  does not describe correctly  $v_{creep}(H, T)$

**Effective pinning barrier:**

$$v_{creep}(H, T) \sim e^{-\frac{\Delta E}{k_B T}} \text{ with } \Delta E \approx k_B T_d \left( \left[ \frac{H}{H_d} \right]^{-1/4} - 1 \right)$$

Boundaries of the creep regime:

$$H \rightarrow 0 \Rightarrow \Delta E \sim k_B T_d \left[ \frac{H}{H_d} \right]^{-1/4} \text{ and } H \rightarrow H_d \Rightarrow \Delta E \rightarrow 0$$

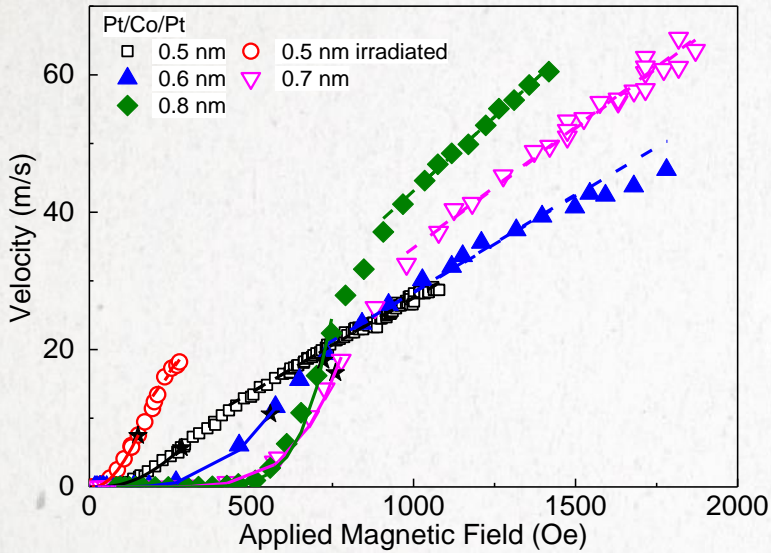
$\Rightarrow$  Universal variation of the reduced energy barrier  $\frac{\Delta E}{k_B T_d}$  with the reduced drive  $\frac{H}{H_d}$

# Evidencing universal creep behavior

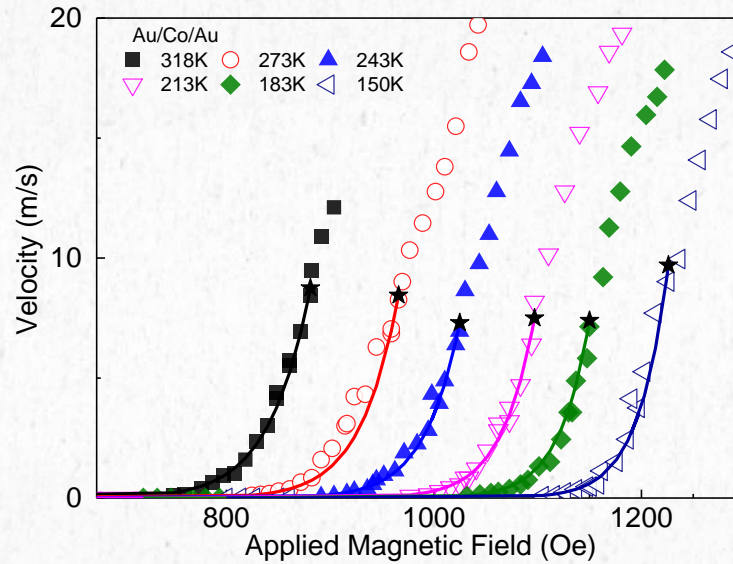
How to evidence a universal behavior of the creep motion?

Different materials, large temperature range:  $T = 10 - 315K$

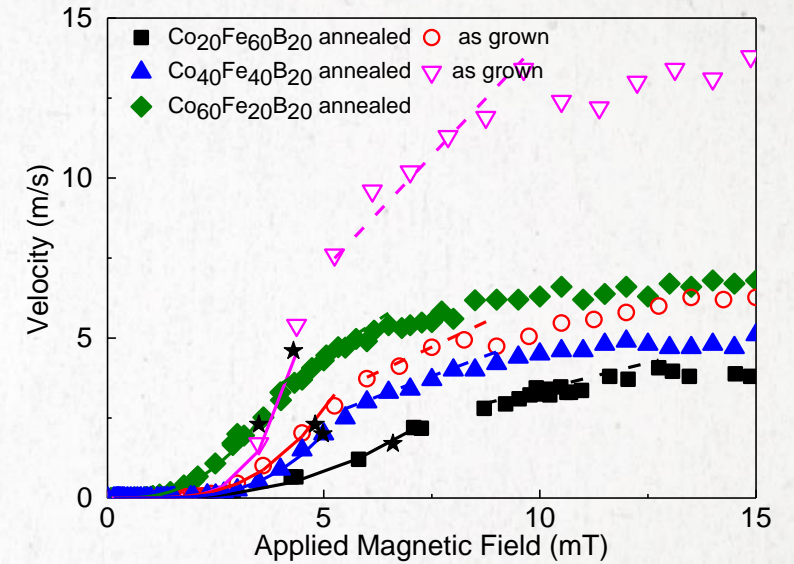
Jeudy *et al.*, PRL **117**, 057201 (2016)



**Pt/Co/Pt**: metallic ferromagnet  
 Different thickness: 0.5-0.8nm  
 Metaxas *et al.*, PRL99, 217208 (2007)



**Au/Co/Au**: metallic ferromagnet  
 Thickness: 1nm  
 Kirilyuk *et al.*, JMMM 171, 45 (1997)

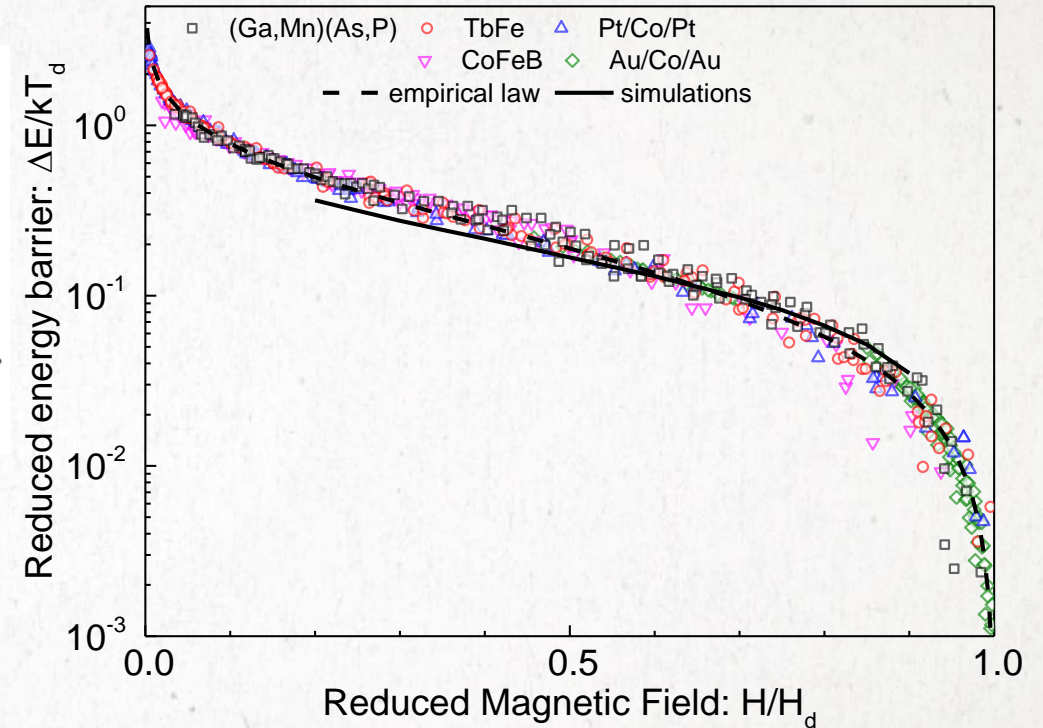
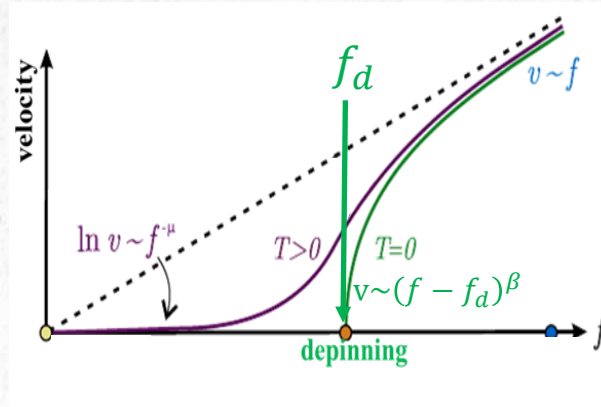
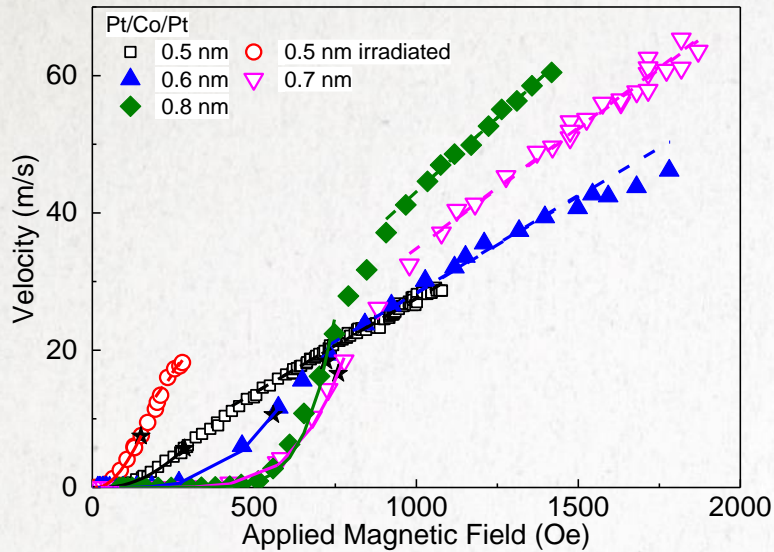


**CoFeB**: metallic ferromagnet  
 Thickness: 1nm  
 Burrowes *et al.*, APL 103, 182401 (2013)

Universal behaviors: all the velocity curves have to collapse on a single master curve.

# Evidencing universal creep behavior

Jeudy *et al.*, PRL **117**, 057201 (2016)



Methods:

Empirical law:  $v = v(H_d, T) e^{-\frac{\Delta E}{k_B T}}$  with  $\Delta E \approx k_B T_d \left( \left[ \frac{H}{H_d} \right]^{-1/4} - 1 \right)$

Upper boundary of the creep is the **inflection** point:  $H = H_d, v = v(H_d)$

Fit of the creep law  $\Rightarrow T_d$

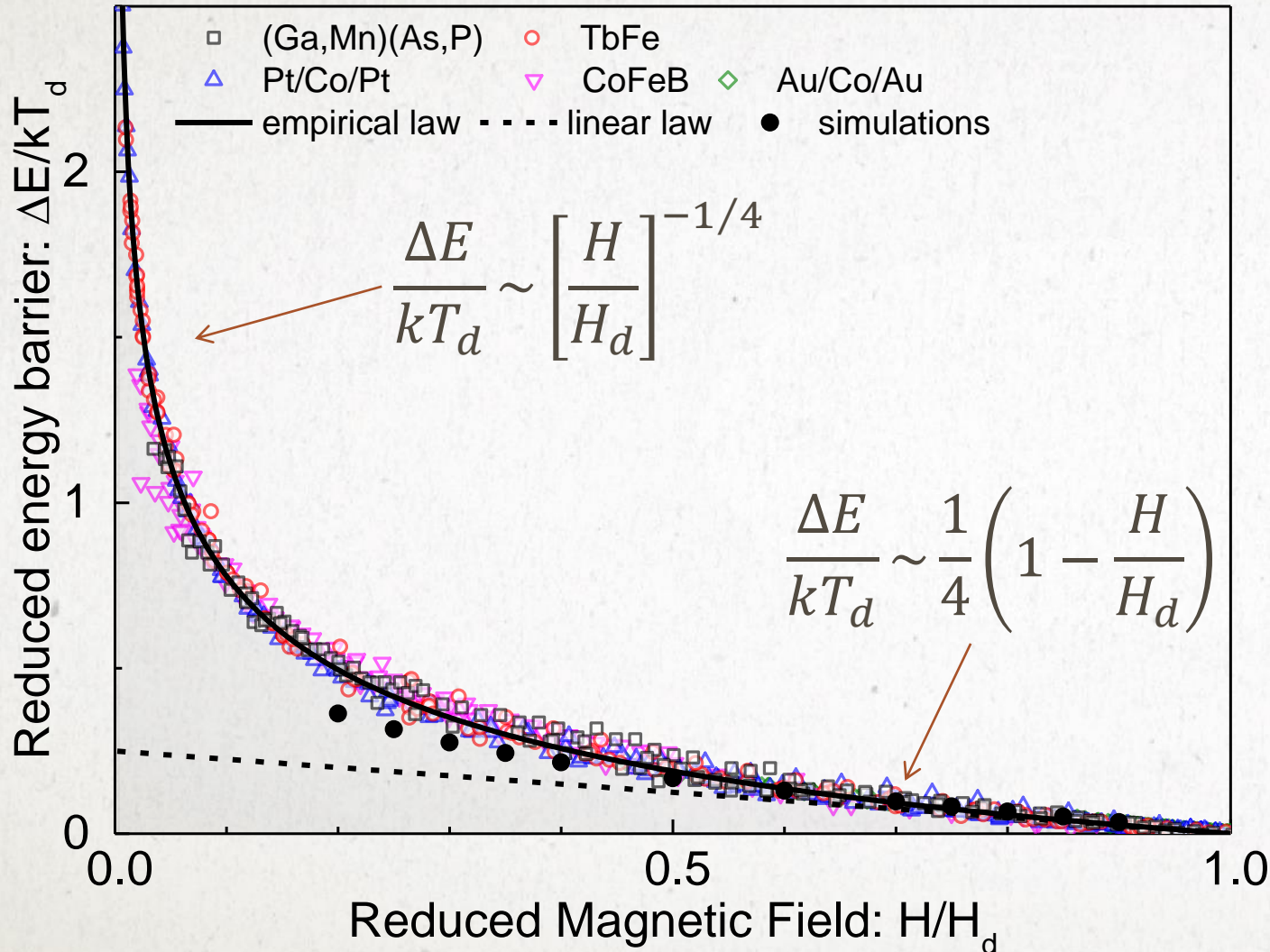
Then  $\Delta E = -k_B T \ln \frac{v(H, T)}{v(H_d, T)} \Rightarrow \frac{\Delta E}{k_B T_d}$  versus  $\frac{H}{H_d}$

Collapse of 25 curves on a single master curve

More than 3 orders of magnitude in  $\frac{\Delta E}{k T_d}$

# Evidencing universal creep behavior: the universal barrier function

Jeudy *et al.*, PRL **117**, 057201 (2016)



- The exponent ( $\mu = 1/4$ ) describes the whole creep motion up to the depinning transition.

- Close to  $H = 0$ , Agreement with the prediction  $\Delta E \sim H^{-1/4}$

- Close to  $H_d$ , The TAFF regime is part of the creep motion. Agreement numerical simulations  
Kolton *et al.*, PRB **79**, 184207 (2009)

- The creep motion can be described by
- a universal barrier function and
  - 3 non-universal parameters :  
 $H_d$ ,  $v(H_d)$ , and  $T_d$

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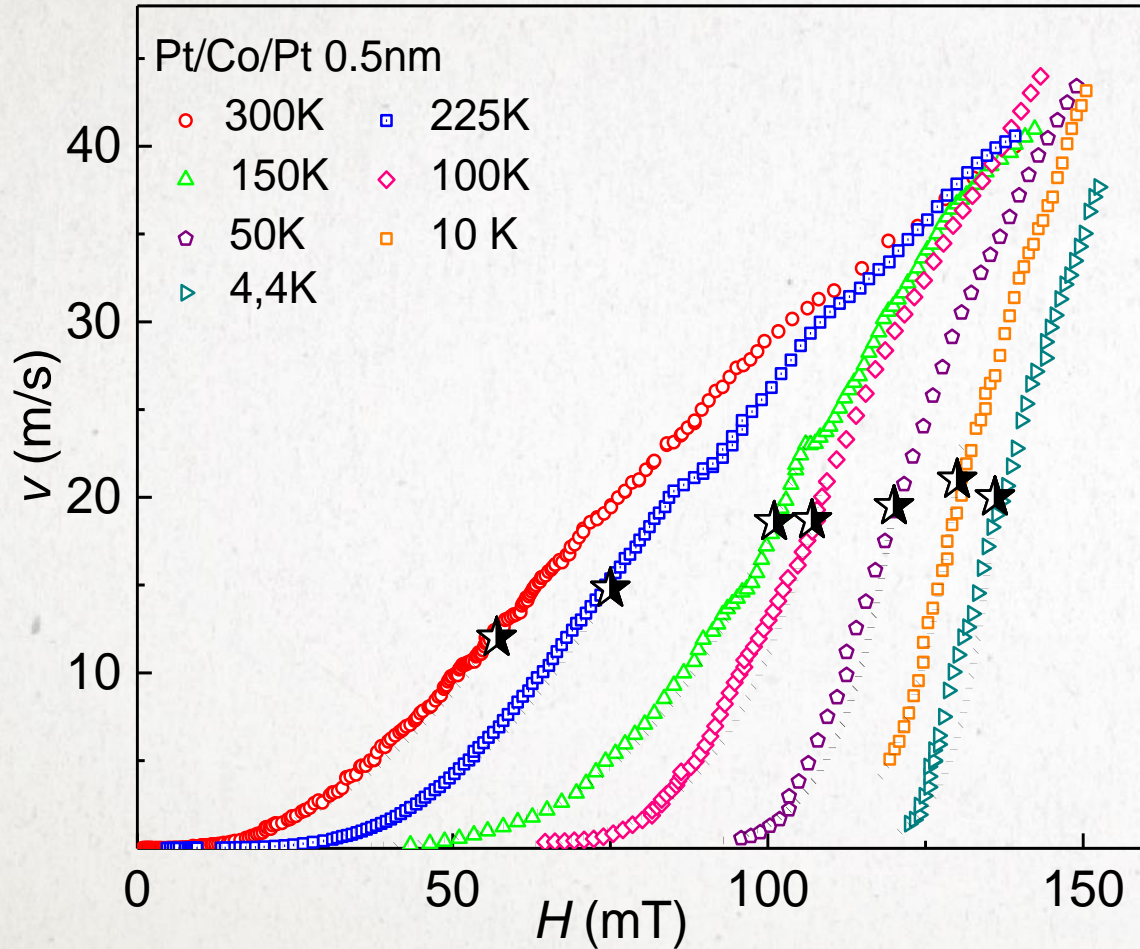
3- BEYOND ZERO DRIVE LIMIT AND POWER LAW SCALING

- Creep motion

- **Depinning transition**

4- MATERIAL DEPENDENT BEHAVIORS

# Depinning transition: thermal studies



Does the depinning transition present universal behaviors?

Contribution of DW magnetic texture?

Diaz Pardo *et al.*, PRB **95**, 184434 (2017)

Le Doussal *et al.*, PRB **66**, 174201 (2002)

Bustingorry *et al.*, EPL **81**, 26005 (2008)

Bustingorry *et al.*, PRE **85**, 021144 (2012)

Bustingorry *et al.*, PRB **85**, 214416 (2012)

Predictions:  $f \geq f_d$

for  $f = f_d$ ,  $v \sim T^\psi$  with  $\psi = 0.15$

for  $T = 0K$ ,  $v \sim (f - f_d)^\beta$  with  $\beta = 0.25$

Introduction of non-universal parameters

for  $H = H_d$ ,  $v(H_d, T) = v_T(H_d, T) \cdot \left(\frac{T}{T_d}\right)^\psi$

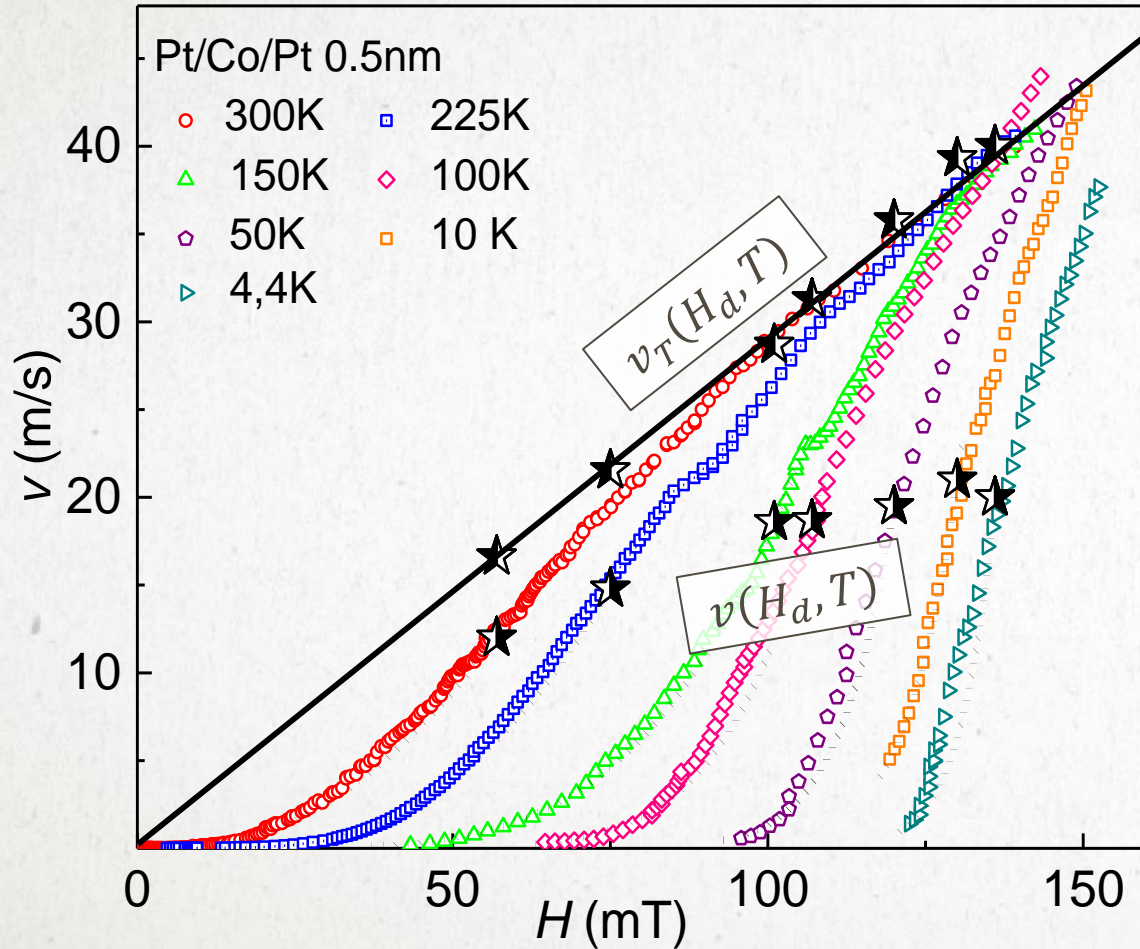
for  $T = 0K$ ,  $v(H, T) = v_H(H_d, T) \left(\frac{H - H_d}{H_d}\right)^\beta$

Compatibility with experimental results?

Meaning of  $v_T$  and  $v_H$ ?



# Thermal studies of the depinning transition



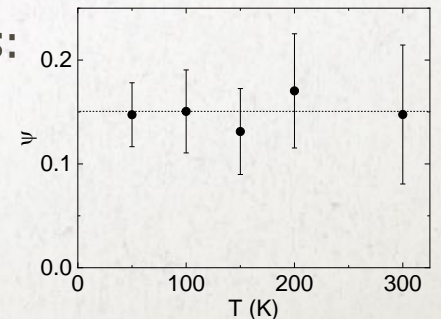
At the depinning transition  $H = H_d$ :

$$v_T(H_d, T) = v(H_d, T) \cdot \left(\frac{T_d}{T}\right)^\psi, \text{ with } \psi=0.15$$

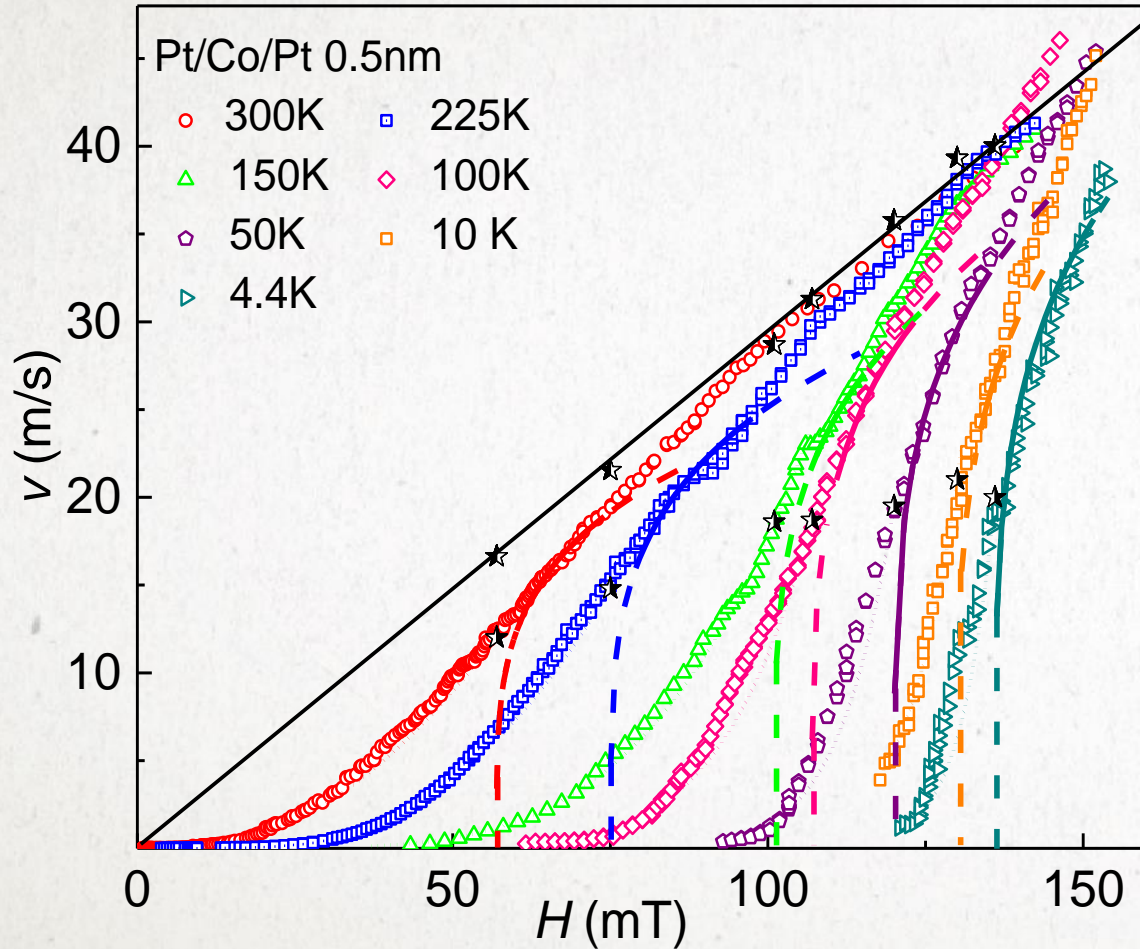
Meaning of the depinning velocity  $v_T$ ?

$v_T$  coincides with the extrapolation of the flow regime  
 $\Rightarrow v_T$  is the flow velocity DW would have without pinning.

$\psi$  can be deduced from experiments:



# Thermal studies of the depinning transition



Above the depinning transition:  $H > H_d$

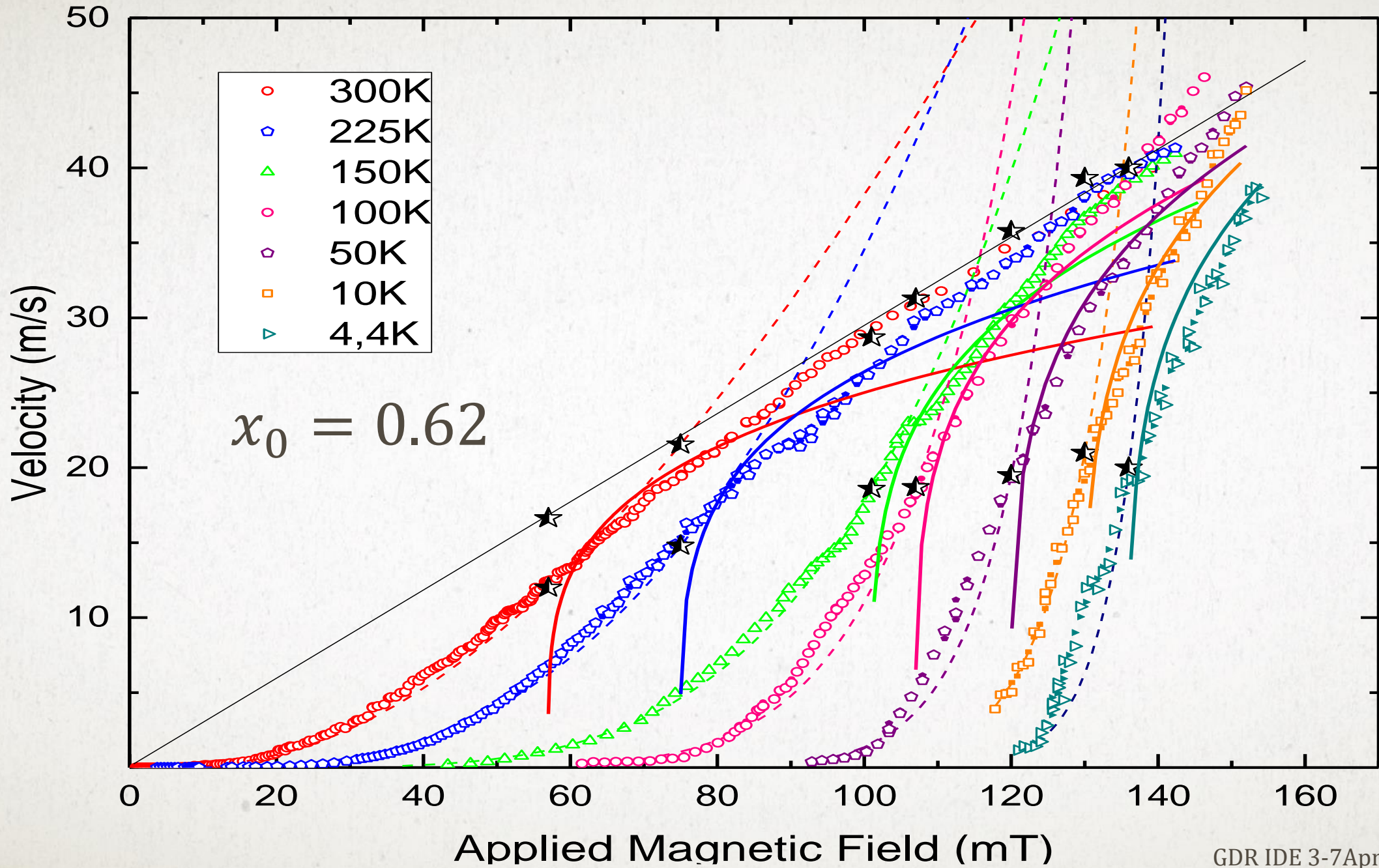
$$v(H, T \rightarrow 0K) = v_H (H_d, T) \left( \frac{H - H_d}{H_d} \right)^\beta, \text{ with } \beta = 0.25$$

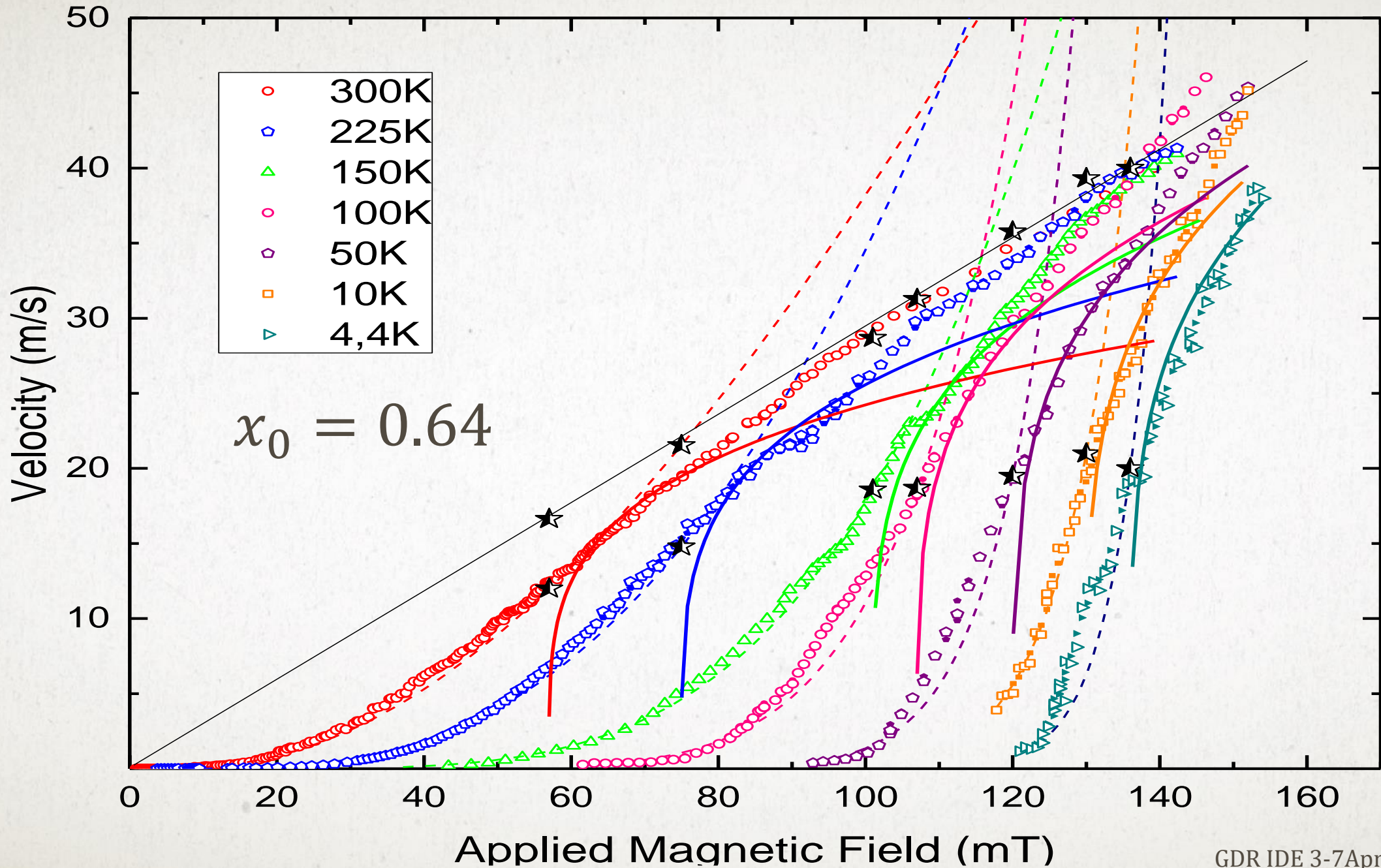
⇒ agreement with a segment of curves

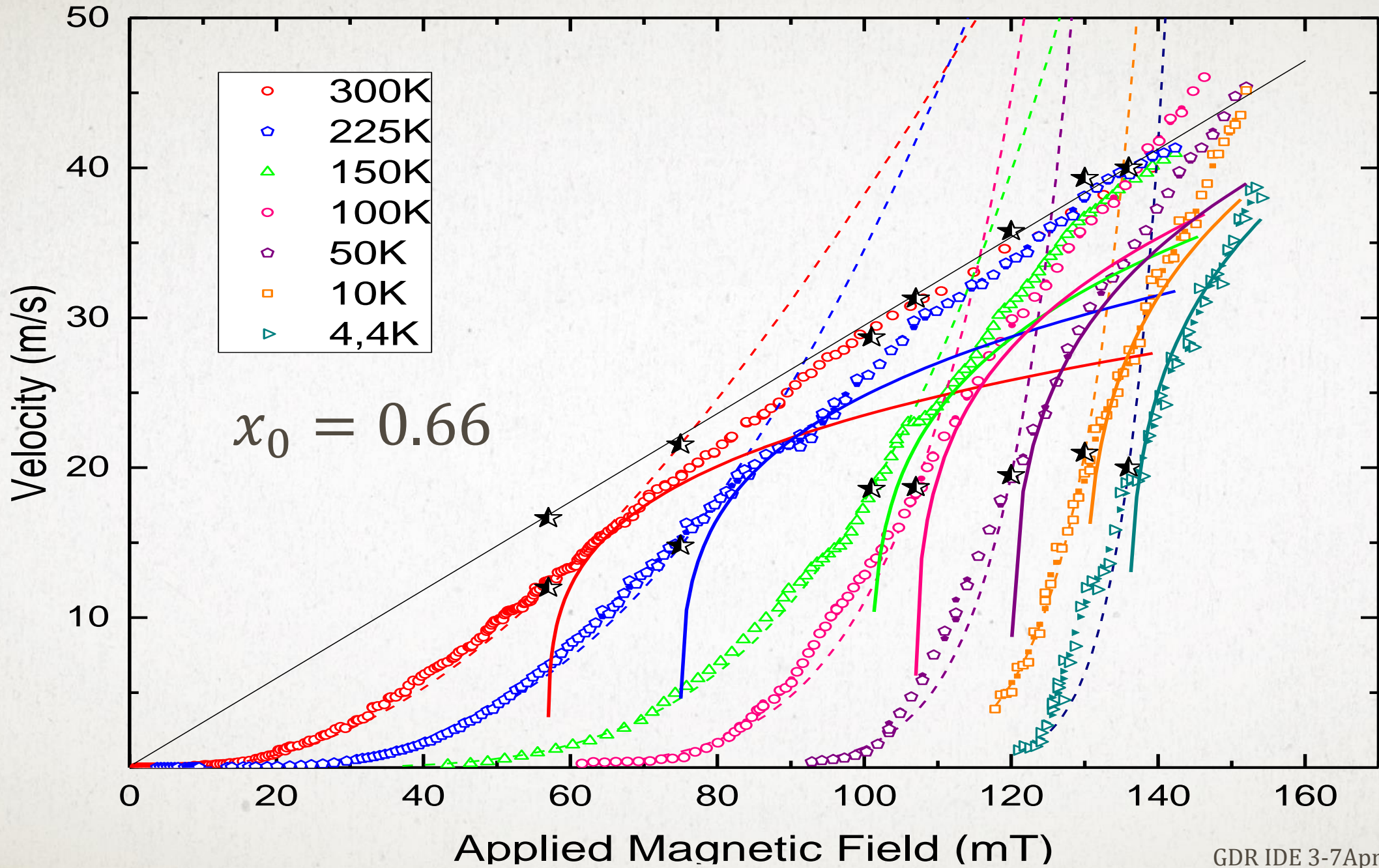
Meaning of  $v_H$ ? Is  $v_H$  an extra non-universal parameter?

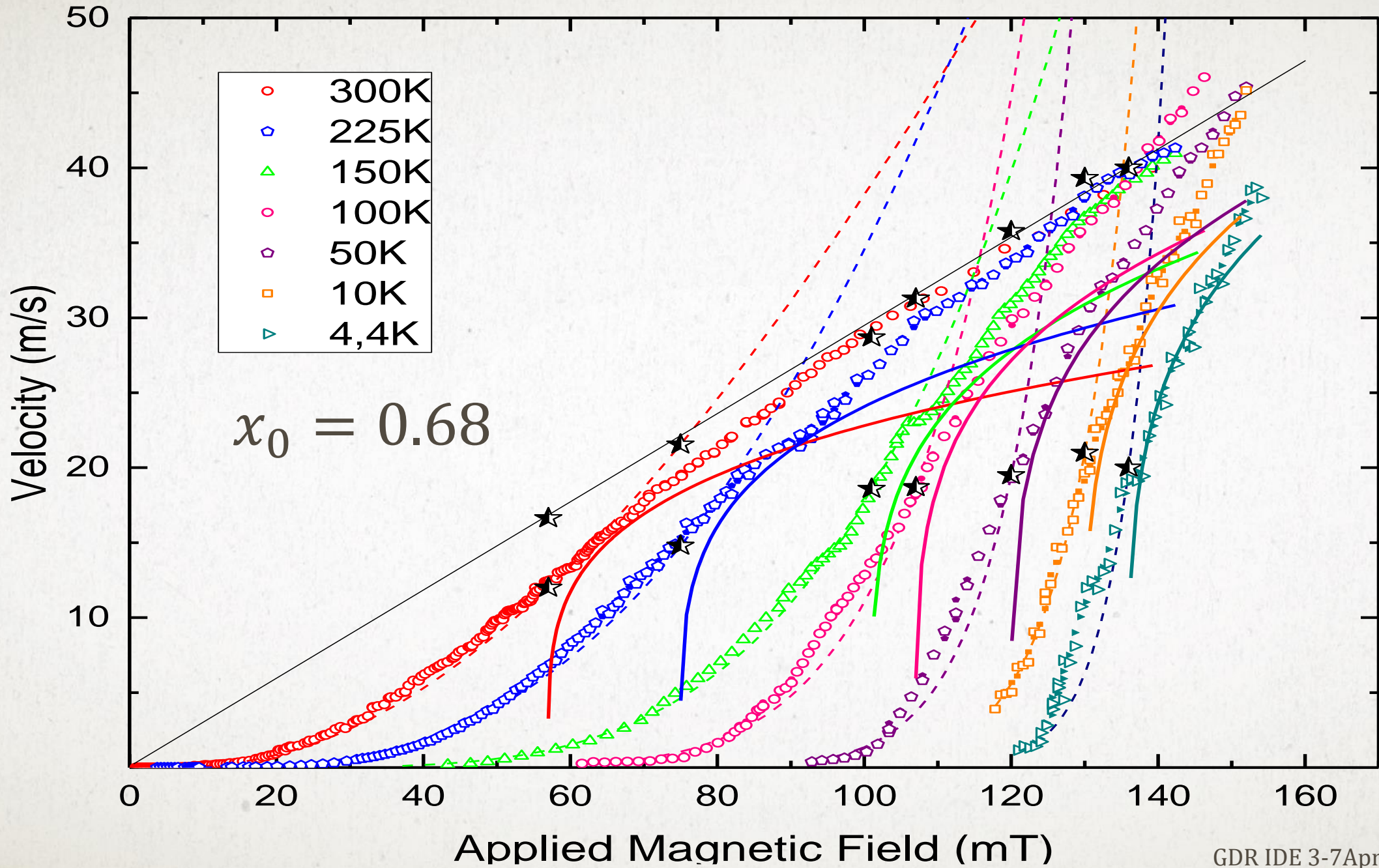
We introduce the ratio  $x_0 = \frac{v_T}{v_H}$ :

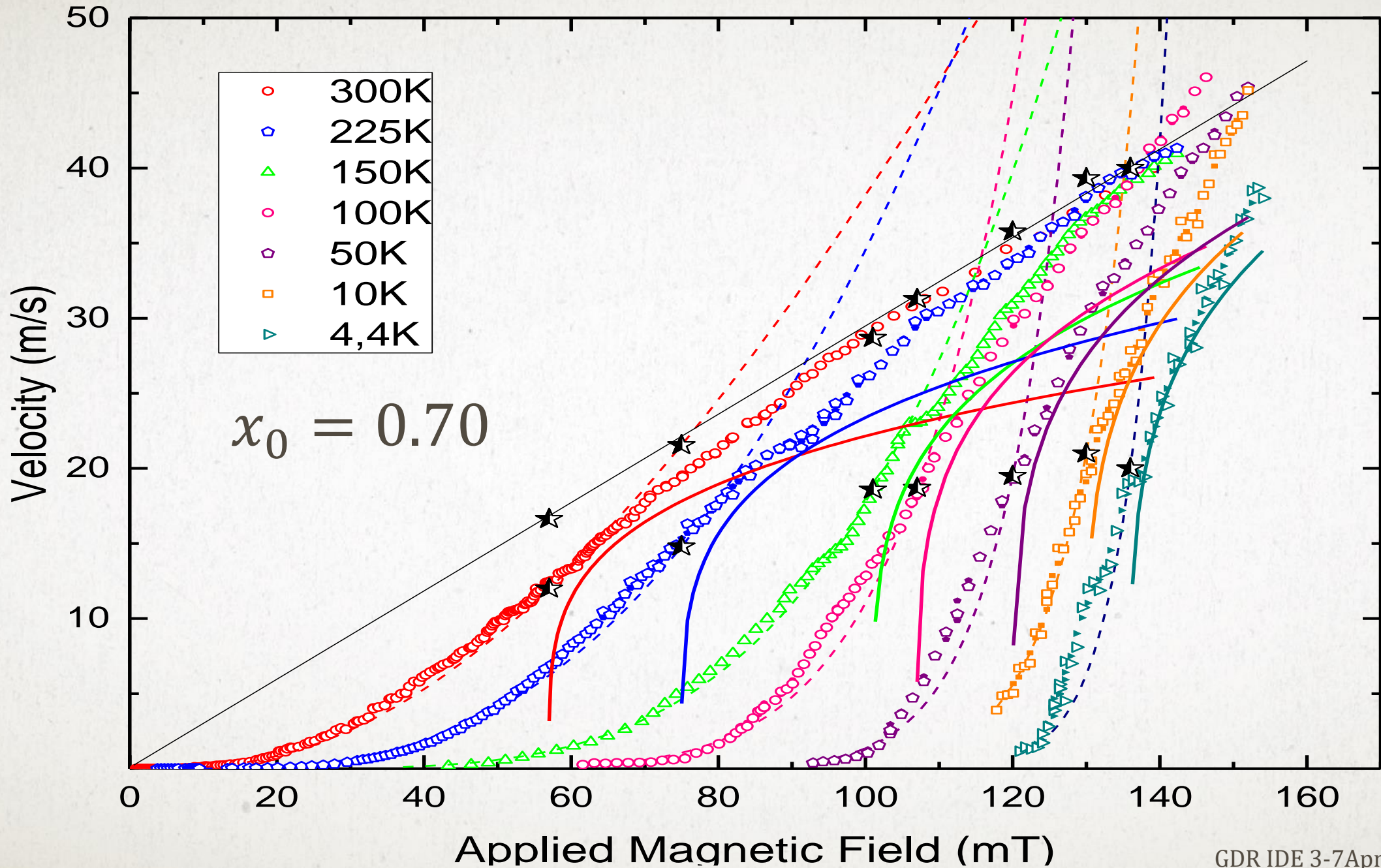
How does  $x_0$  vary with  $H_d$  and  $T$ ?

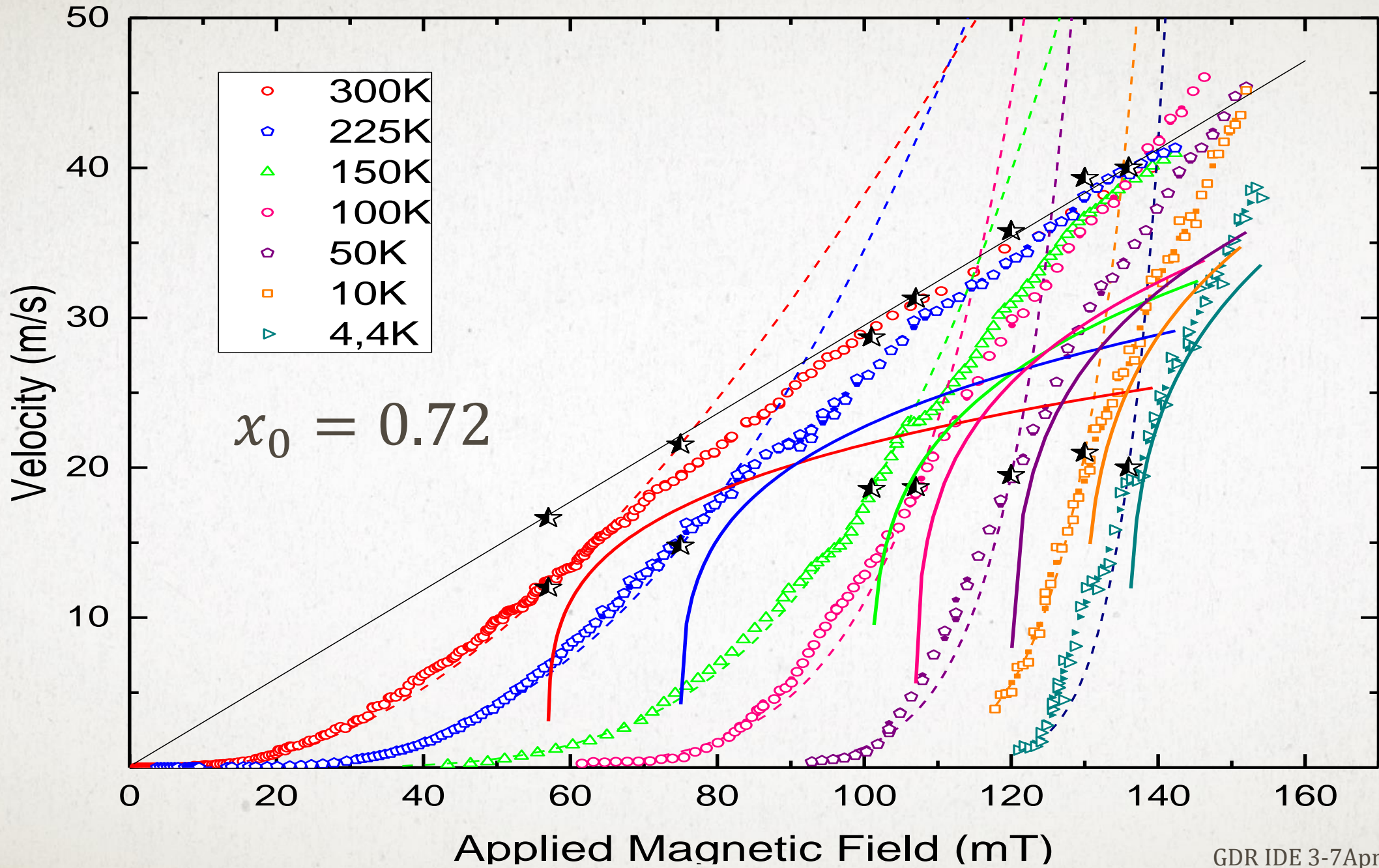






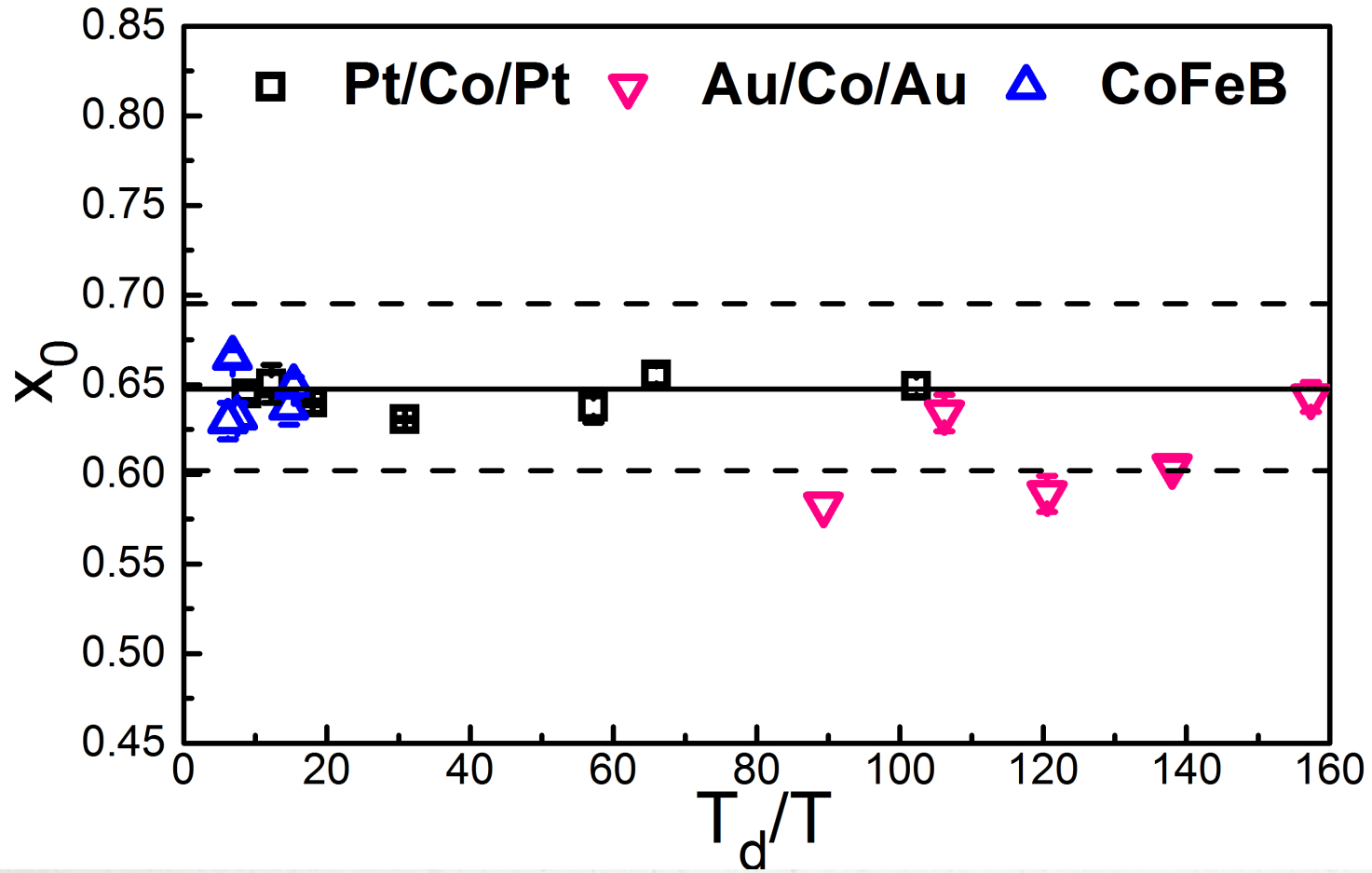








# Thermal studies of the depinning transition



The ratio  $x_0 = \frac{v_T(T)}{v_H(T)} = 0.65 \pm 0.02$  is independent of

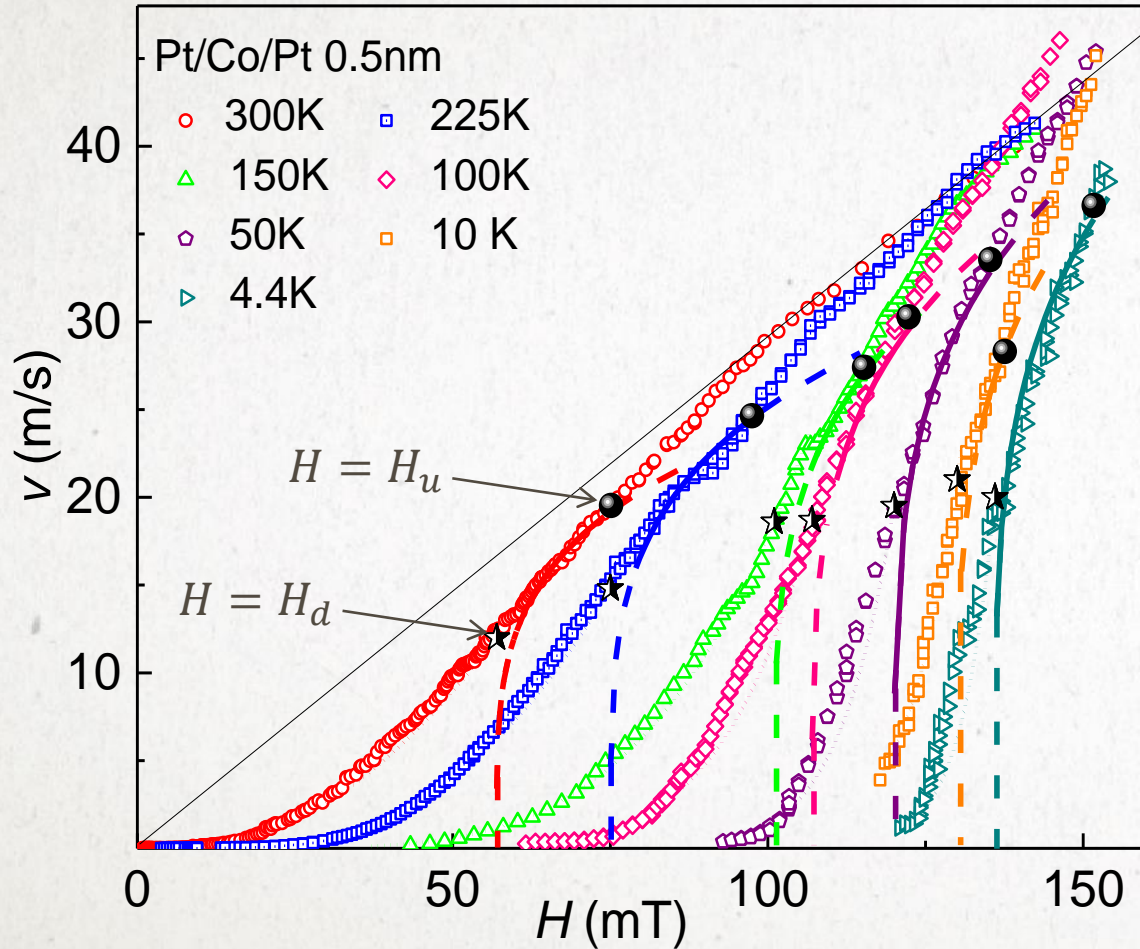
- temperature ( $8 < \frac{T_d}{T} < 160$ ) and
- magnetic material.

$\Rightarrow x_0$  is a universal metric factor.  
(not predicted)

*Consequence*  
Only 3 pinning parameters are controlling the depinning transition:  
 $T_d(T)$ ,  $H_d(T)$ , and  $v_T(H_d, T)$

# Thermal studies of the depinning transition

Boundaries of the depinning transition?



## Upper limit:

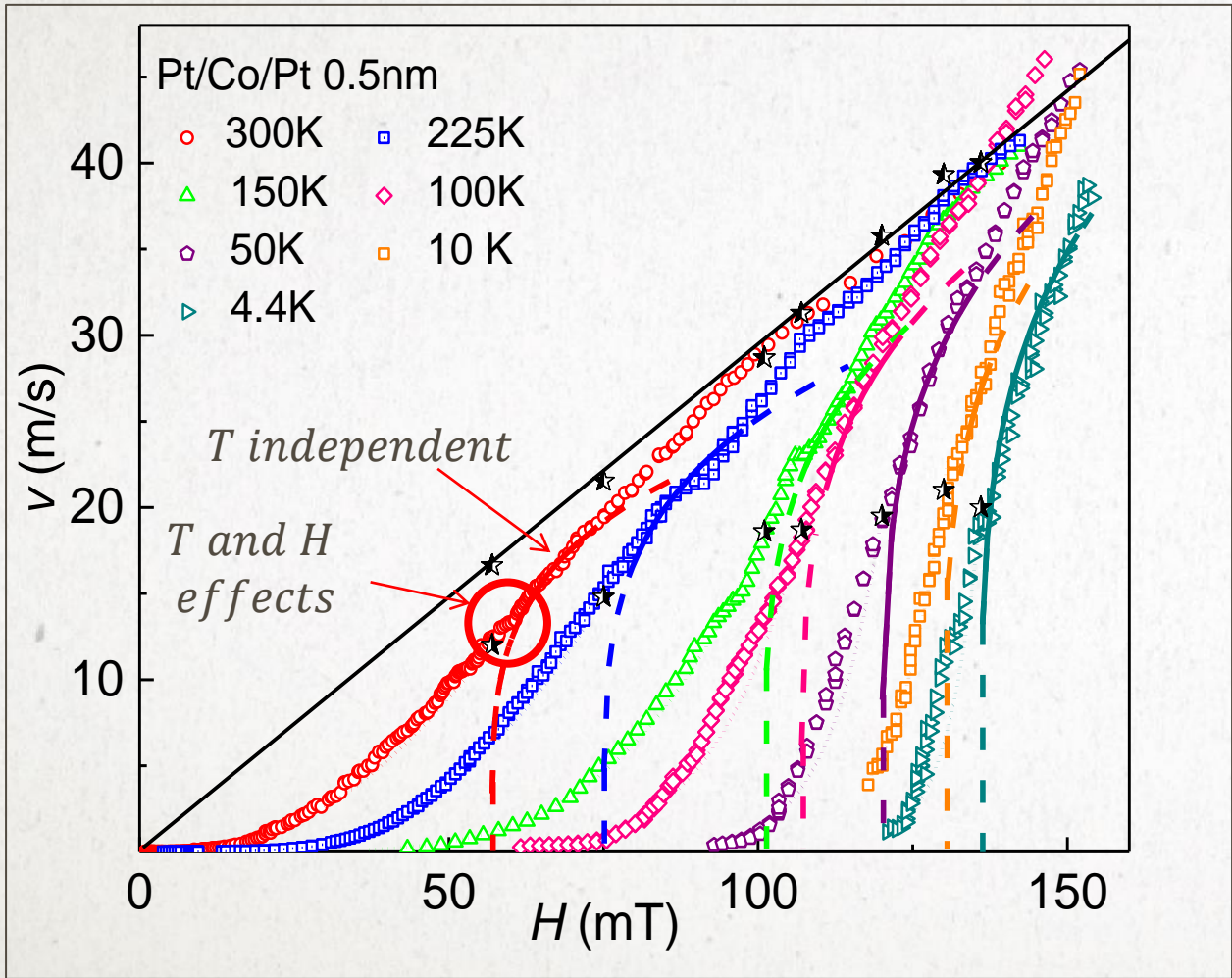
- Divergence between experimental results and the power law scaling  $v \sim (H - H_d)^\beta$ :  $H = H_u$
- For  $H < H_u$ , DW motion is independent of its texture
- For  $H \geq H_u$ , DW motion is probably not universal

## Lower limit:

$H_d$ : lower (upper) boundary of the depinning (creep).  
No crossover between creep and depinning

# Thermal studies of the depinning transition

Universal function accounting for T and field effects?



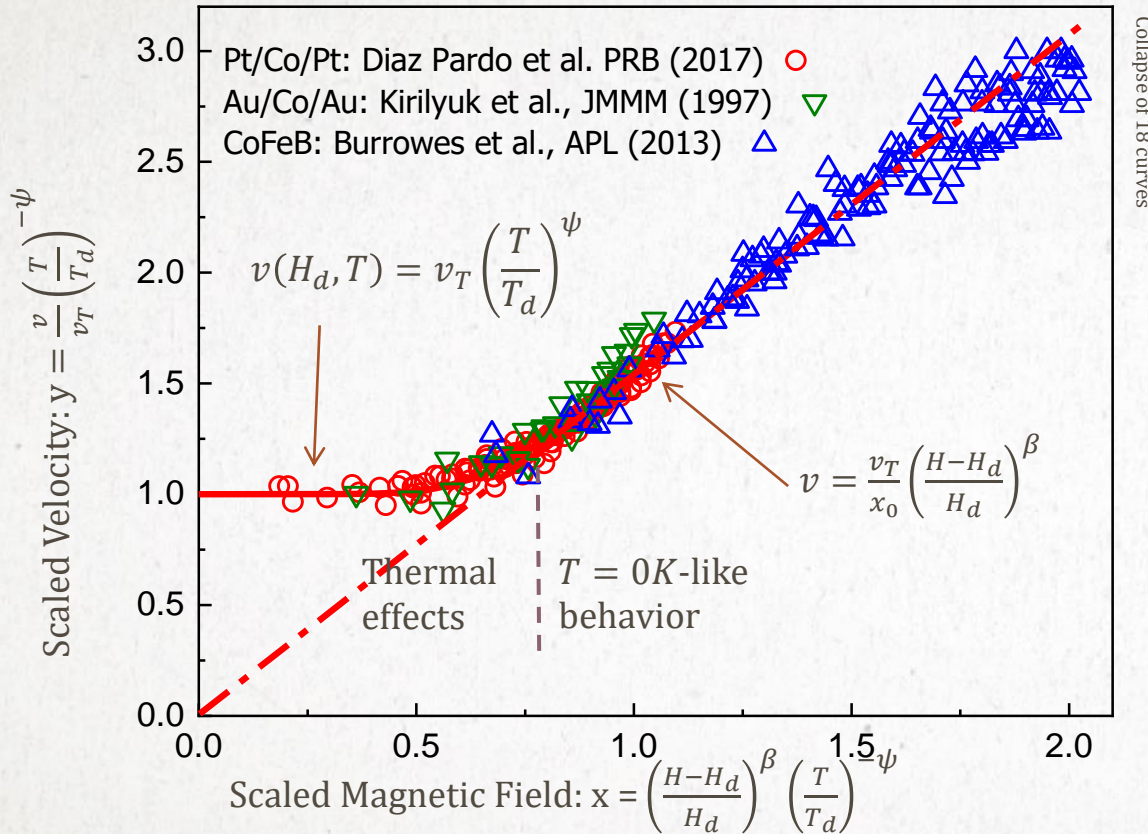
## Two regimes of the depinning transition:

- Close to  $H_d$ , combined thermal and drive effects.
- Close to  $H_u$ , athermal behavior.

Universal function: rescaling the velocity curves

- Scaled field:  $x = \left(\frac{H-H_d}{H_d}\right)^\beta \left(\frac{T}{T_d}\right)^{-\psi}$
- Scaled velocity:  $y = \frac{v(H,T)}{v_T} \left(\frac{T}{T_d}\right)^{-\psi}$

# Thermal studies of the depinning transition



## Universal depinning function

Shape  $\approx$  two asymptotic behaviors:

- for  $x < 0.4$ ,  $y \approx 1 = \frac{v(H,T)}{v_T(T)} \left( \frac{T}{T_d} \right)^{-\psi}$
- for  $x > 0.8$ ,  $y \approx \frac{x}{x_0} = \frac{1}{x_0} \left( \frac{H-H_d}{H_d} \right)^\beta \left( \frac{T}{T_d} \right)^{-\psi}$

Contribution of thermal effects limited to a narrow range  $x < 0.8$ .

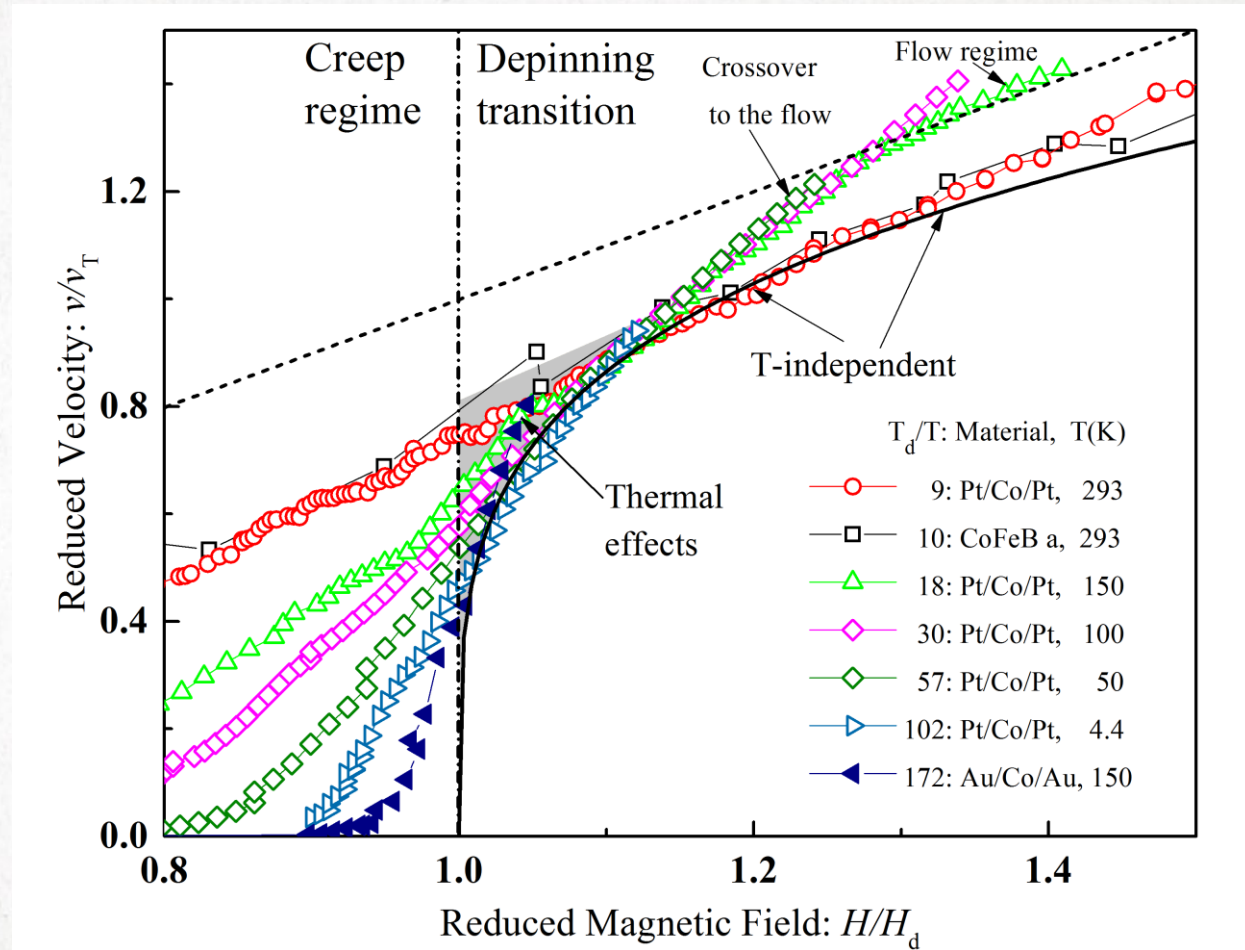
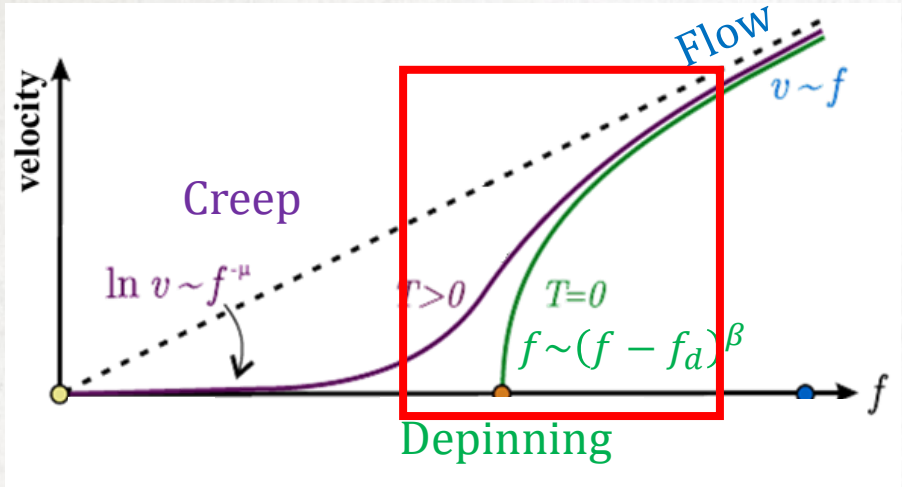
For  $\frac{T_d}{T} \approx 10 - 100$ :  $\frac{H-H_d}{H_d} \leq 3 - 10\%$

## Upper limit

$x(H = H_u)$  is material and temperature dependent.

# Thermal studies of the depinning transition

A close look at the thermal rounding of the depinning transition.

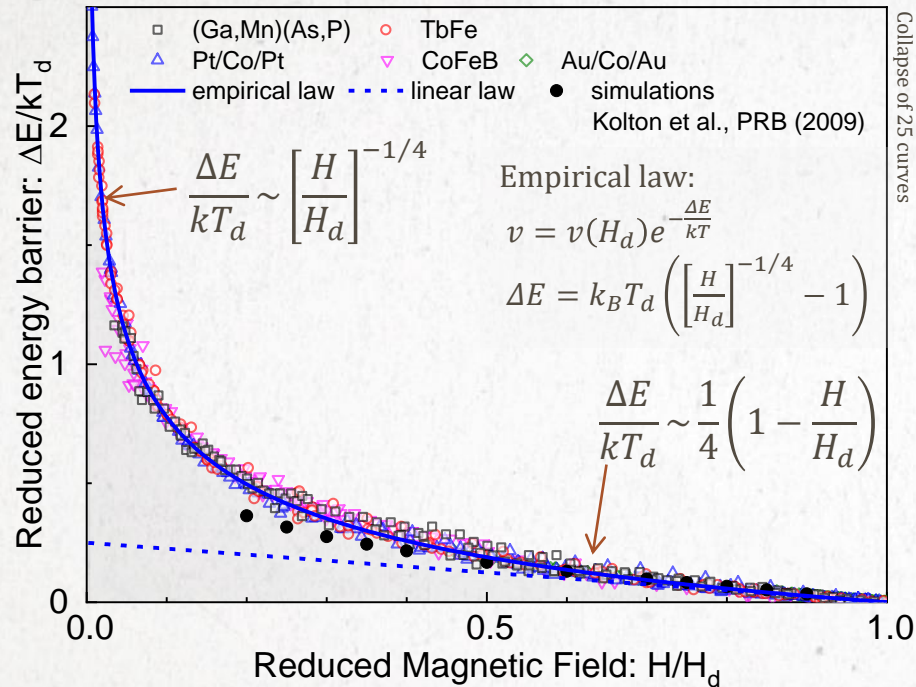


In the crossover to the flow, increasing contribution of DW magnetic texture.

# The creep and depinning regimes

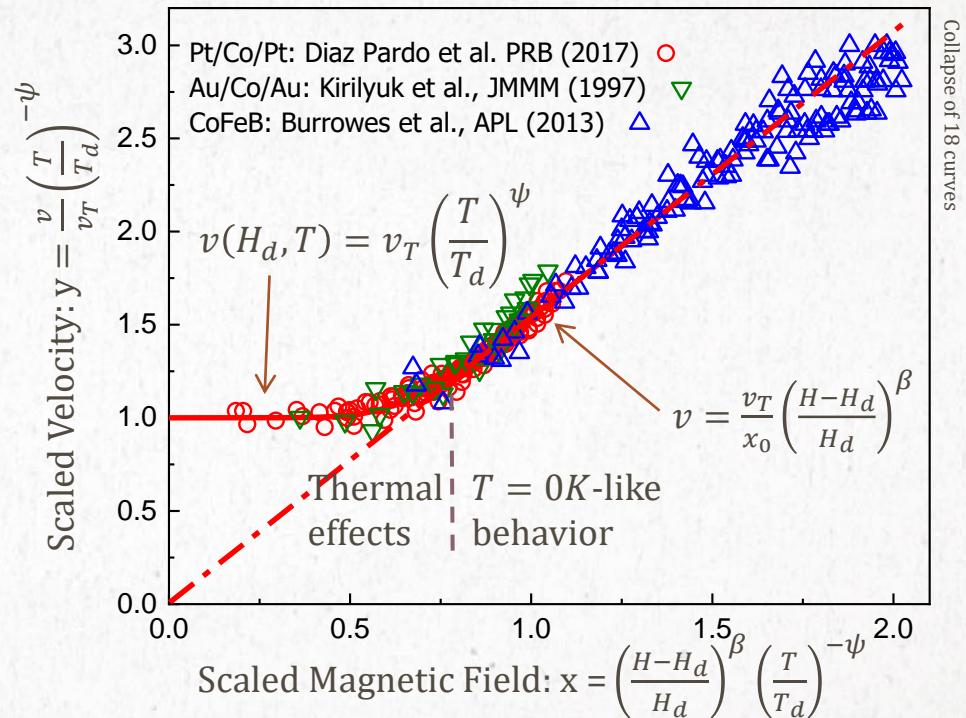
## Creep motion: $H < H_d$

V. Jeudy et al., Phys. Rev. Lett. 117, 057201 (2016)



## Depinning transition: $H \gtrsim H_d$

R. Diaz Pardo et al., Phys. Rev. B 95, 184434 (2017)



Non-universal and universal behaviors can be disentangled.

- universal functions describe the creep and the depinning transition
- material depend parameters: barrier height  $k_B T_d$ , depinning field  $H_d$  and velocity  $v_T$

## OUTLINE

1- INTRODUCTION TO DW STRUCTURE AND MOTION

2- ANALYSIS OF CRITICAL BEHAVIORS

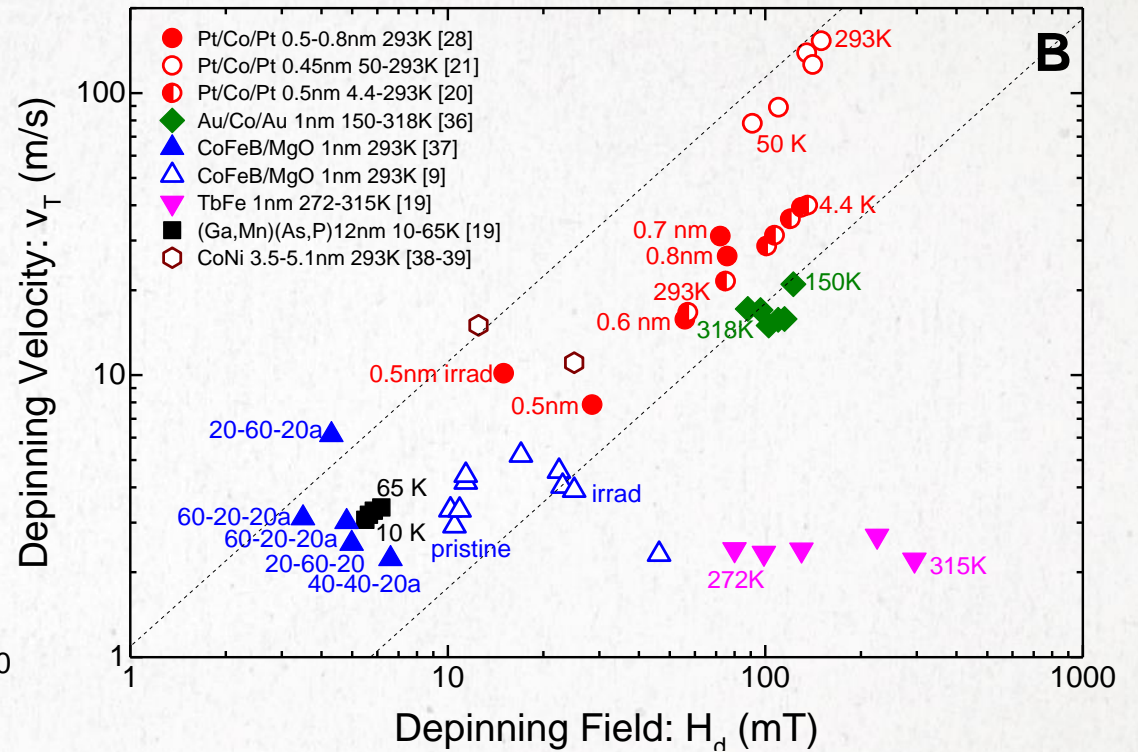
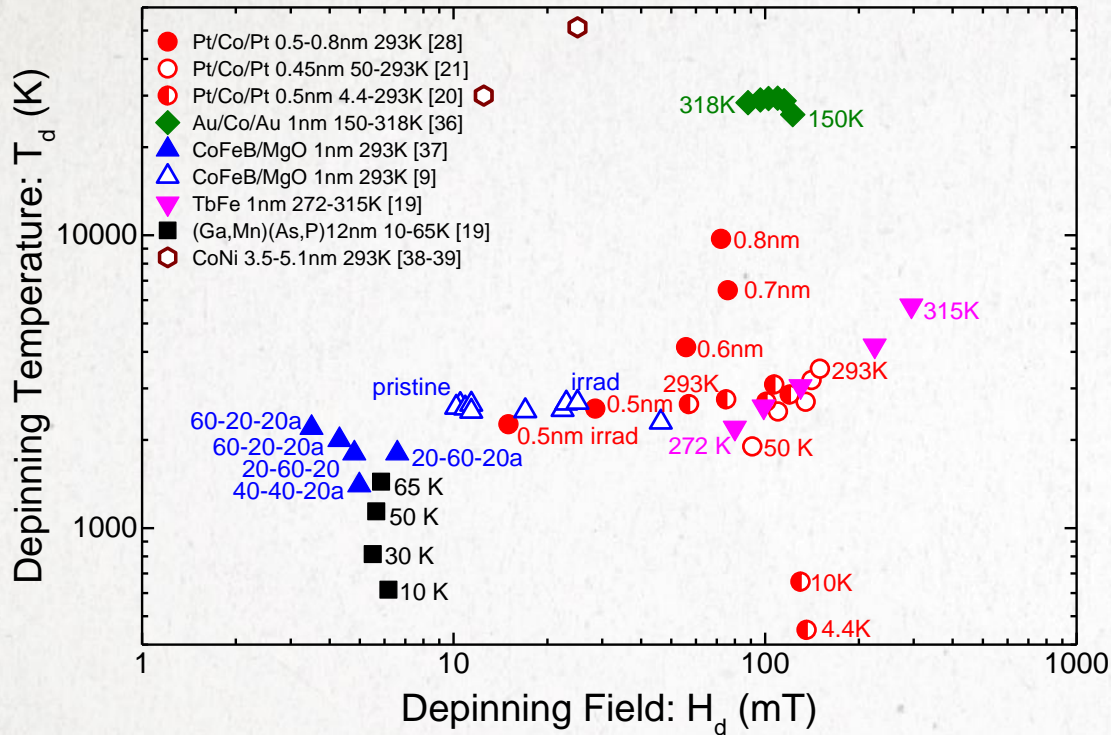
3- BEYOND ZERO DRIVE LIMIT AND POWER LAW SCALING

- Creep motion
- Depinning transition

4- MATERIAL DEPENDENT BEHAVIORS

# Pinning dependent parameters

## Maps of the pinning parameters



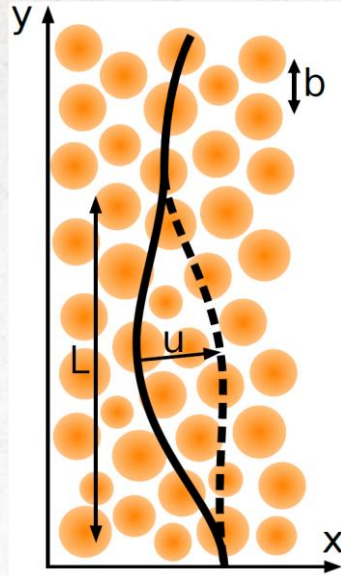
**New :** Quantitative comparison of the contribution of pinning to DW dynamics in different materials

### Open questions

- Physical meaning of the pinning dependent parameters :  $H_d, v_T, T_d$ ?
- How do they reflect the interaction between DW and disorder?



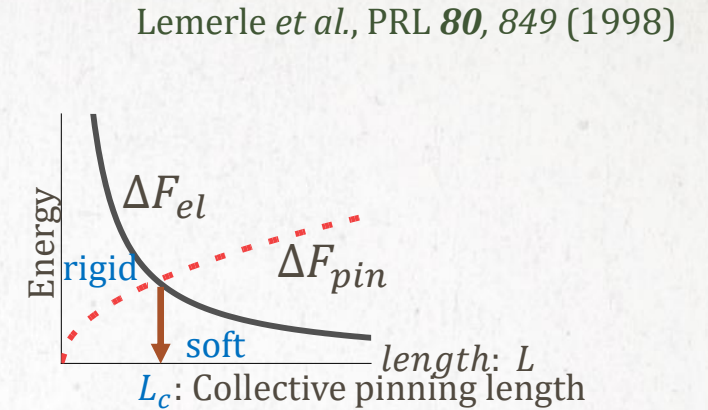
# Energetic of a DW in a disordered medium



## Energy contributions:

For a small displacement  $u$  of a segment of length  $L$ :

- Elastic energy:  $\Delta F_{el} \sim \sigma t \frac{u^2}{L}$
- Pinning energy:  $\Delta F_{pin} \sim \xi f_{pin} \sqrt{n \xi L}$   
pinning range:  $\xi$  and strength  $f_{pin}$
- Zeeman energy:  $\Delta F_Z \sim -2\mu_0 M_S H_Z t L u$



## Scaling arguments for the depinning:

- The depinning ( $H = H_d$ ) occurs when a rigid segment ( $L \approx L_c$ ) can be displaced over the distance  $u \approx \xi$
- At the depinning,  $\Delta F_{el} \sim \Delta F_{pin} \sim -\Delta F_Z$  with  $\Delta F_{pin} \approx k_B T_d$

## ⇒ DW-disorder interaction

- Range:  $\xi \sim [(k_B T_d)^2 / (2M_S H_d \sigma t^2)]^{1/3}$
- Strength:  $f_{pin} \sim \frac{1}{\xi \sqrt{n}} \sqrt{2H_d M_S t k_B T_d}$  (scaling relations)

Jeudy *et al.*, PRB **98**, 054406 (2018)

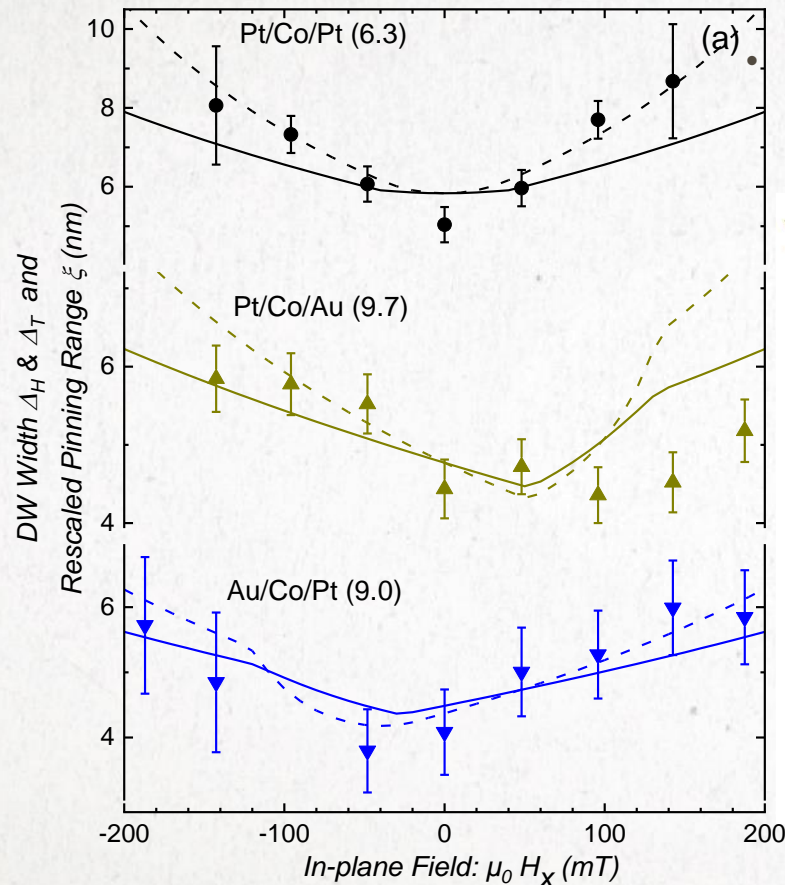
More accurate model:  
Agoritsas *et al.* PRE **87**, 042406 (2013)

Methods
$\left. \begin{array}{l} \text{DW dynamics} \rightarrow k_B T_d, H_d \\ \text{Measured micromagnetic parameters and model} \rightarrow M_S, \sigma, \Delta \end{array} \right\} \Rightarrow \text{interaction between DW and disorder: } \xi, f_{pin}$

# Exploring the domain wall pinning range: $\xi$

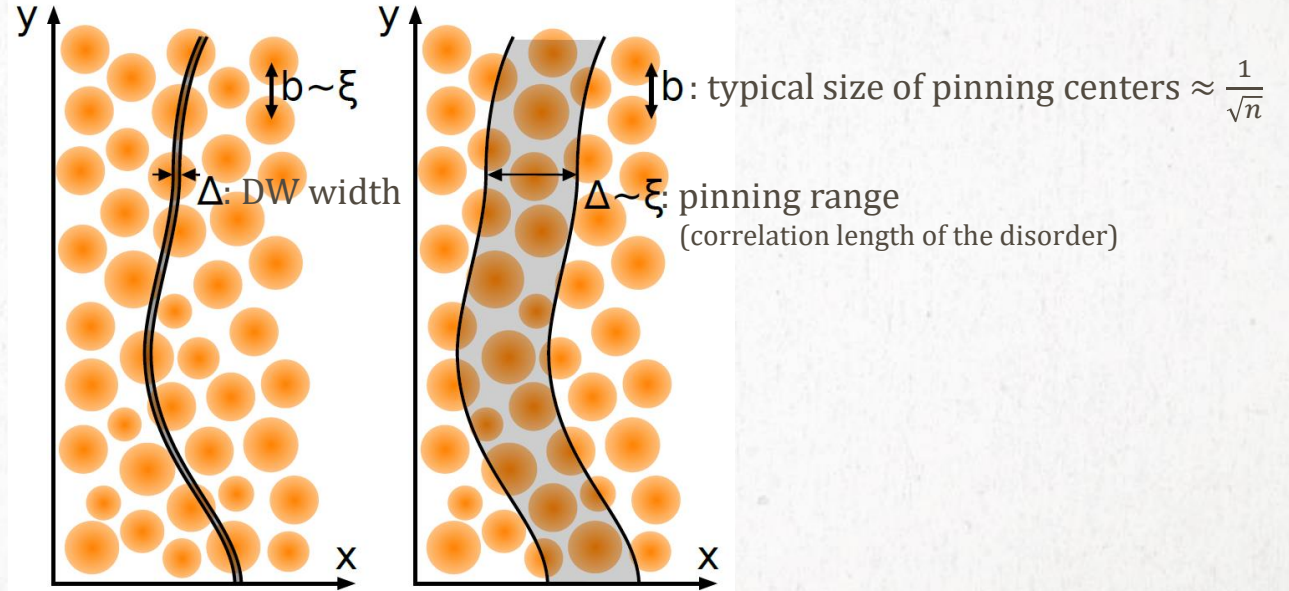
*P. Gehanne et al., Phys. Rev. Res. 2, 043134 (2020)*

Fixed disorder, an in-plane field modifies the DW texture ( $\Delta$  and  $\sigma$ )



$\Delta_T$ : Thiele dynamics width and  $\Delta_H$  Hubert geometrical width

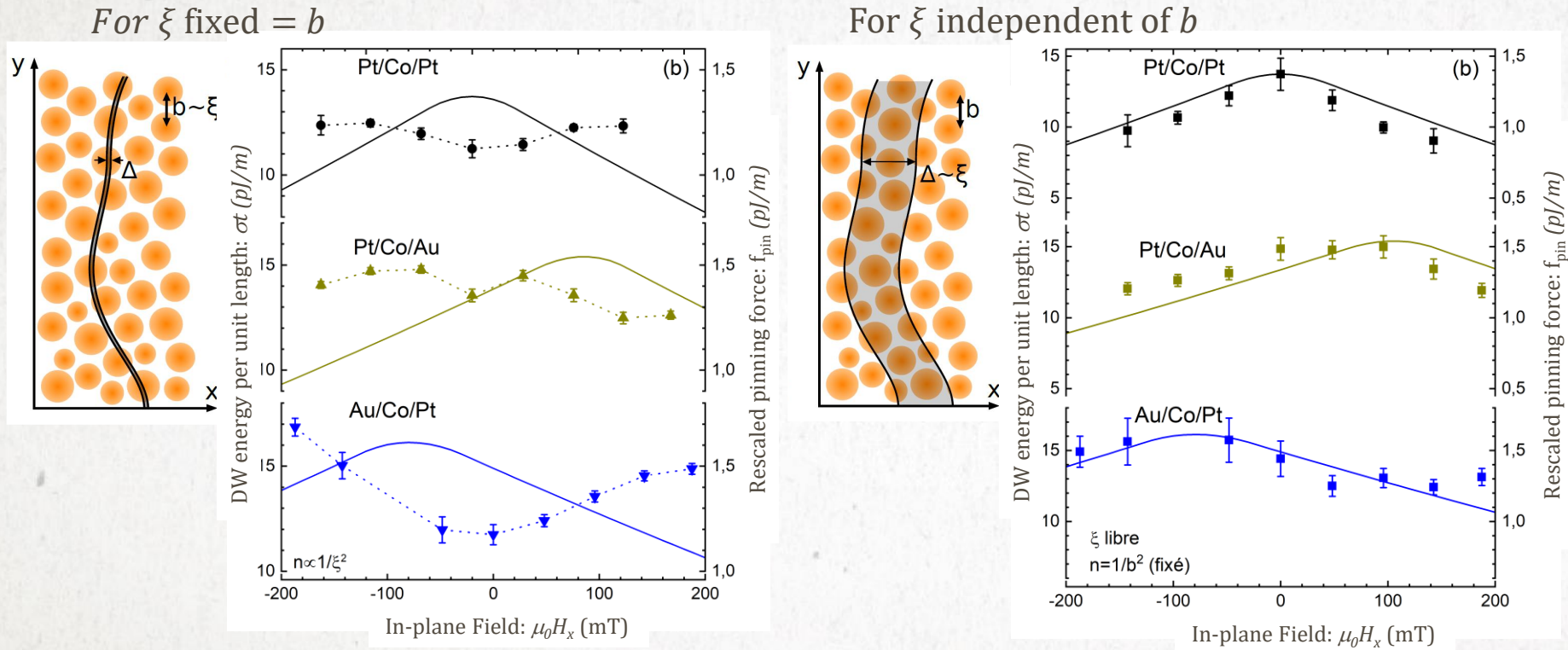
Two possible scenarii for  $\xi$ : *Natterman et al., PRB 42 8577 (1990)*



The correlation between the variations of the pinning range  $\xi(H_x)$  and of  $\Delta(H_x)$  suggests that  $b < \xi \sim \Delta$ .

# Domain wall pinning strength: $f_{pin}$

Comparison between the pinning strength  $f_{pin}$  and the DW energy  $\sigma$



The better correlations obtained for  $\xi$  indep. of  $b$  suggest:  $b < \xi \sim \Delta$  and  $f_{pin} \propto \sigma$ .  
 Different from the relation:  $b \sim \xi$  assumed since Lemerle *et al.*, PRL (1998).

Results are not compatible with the assumption  $k_B T_d H_d^4 \sim \sigma^{1/4}$  of Je *et al.* PRB **88**, 214401 (2013)

# Engineering DW pinning with light He+ ion irradiation

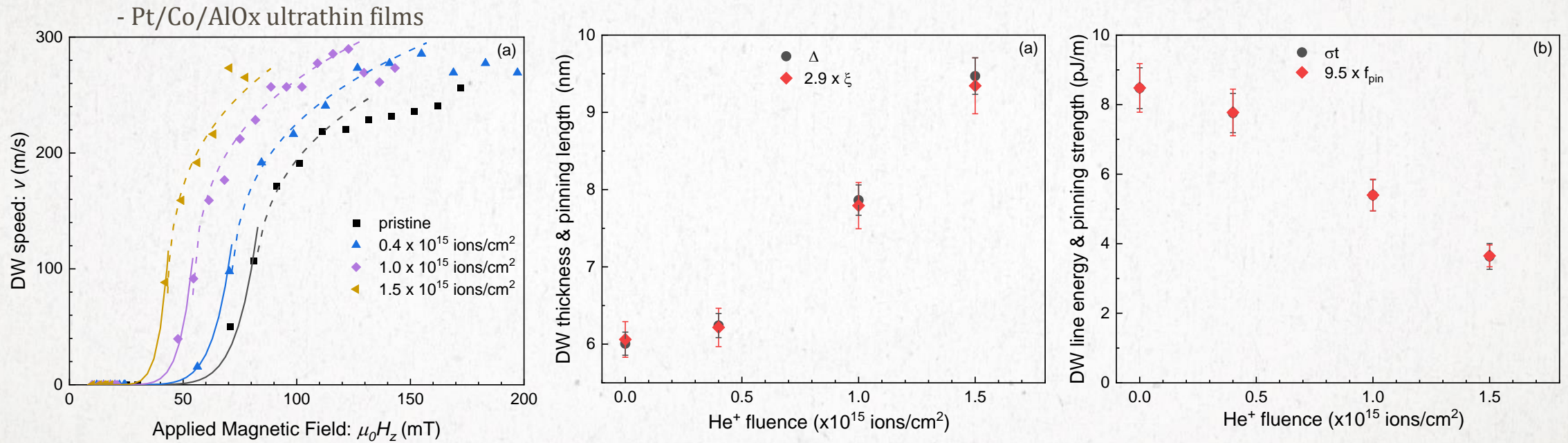
Origin of the variations of DW dynamics due to light He+ ion irradiations?

Balan *et al.*, arXiv:2303.04577  
van Der Jagt *et al.*, Phys. Rev. Appl. (2022)

Chappert *et al.*, Science (1998): irradiation  $\Rightarrow$  rearrangements of atoms over inter-atomic distances

Devolder, Phys. Rev. B (2000)

Strong variations of the anisotropy  $K \Rightarrow$  of  $\Delta \sim \sqrt{A/K}$



Correlation between  $\Delta$  and the pinning range  $\xi \Rightarrow$

The change of DW speed is essentially due to the variation of DW magnetic texture and not by a change of the disorder.

# CONCLUSIONS

## **Disentangling universal and non-universal behaviors**

- is essentially based on the analysis of experimental results with power law predictions
- requires to introduce material dependent parameters and to analyse their meaning
- requires a careful determination of the boundaries between dynamical regimes.

A tentative minimalist “experimental” definition of a universal behavior could be: independent of temperature, material, and compatible with some predictions of minimal models... all this over the largest possible ranges.

## **Accessing to non-universal behaviors**

- allows to classify quantitatively different materials (depinning force, velocity and  $T$ )
- opens the discussion of the interaction between interface and weak disorder.

**Results obtained for domain walls in ferromagnets should be valid for other systems described by the quenched- Edward-Wilkinson model.**